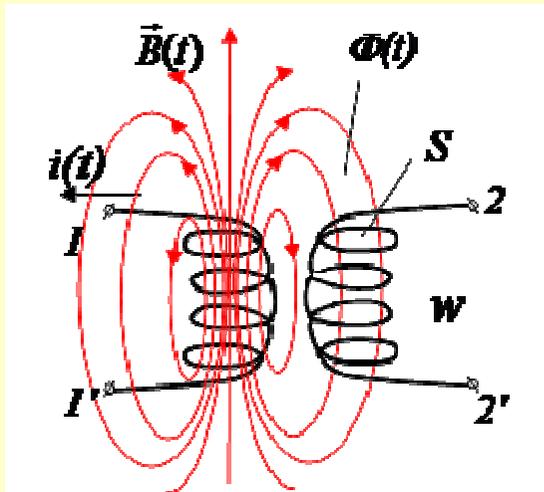


Вериги с индуктивни връзки

Във веригата са включени магнитно свързани бобини, т.е. преминаването на ток през едната създава магнитно поле, което обхваща навивките на другата и съгласно закона за електромагнитната индукция индуктира в нея напрежение.



$$i(t) \longrightarrow \vec{B}(t)$$

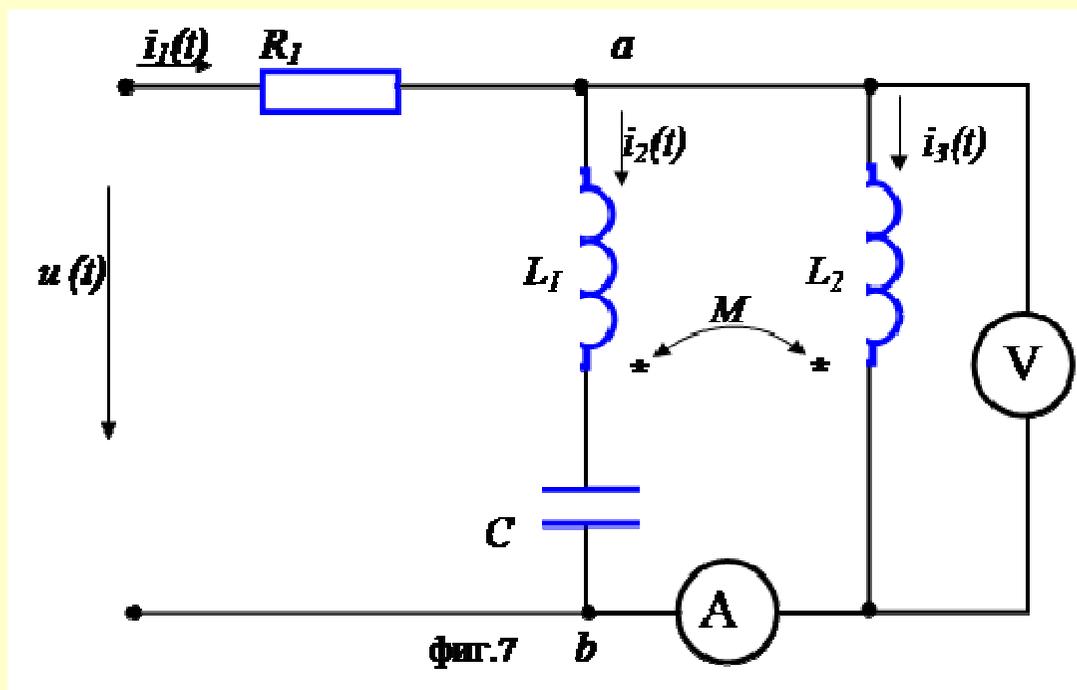
$$\Phi(t) = \oiint_S \vec{B}(t) d\vec{S}$$

$$\Psi(t) = w \cdot \Phi(t)$$

$$e(t) = -\frac{d\Psi}{dt}$$

Вериги с индуктивни връзки

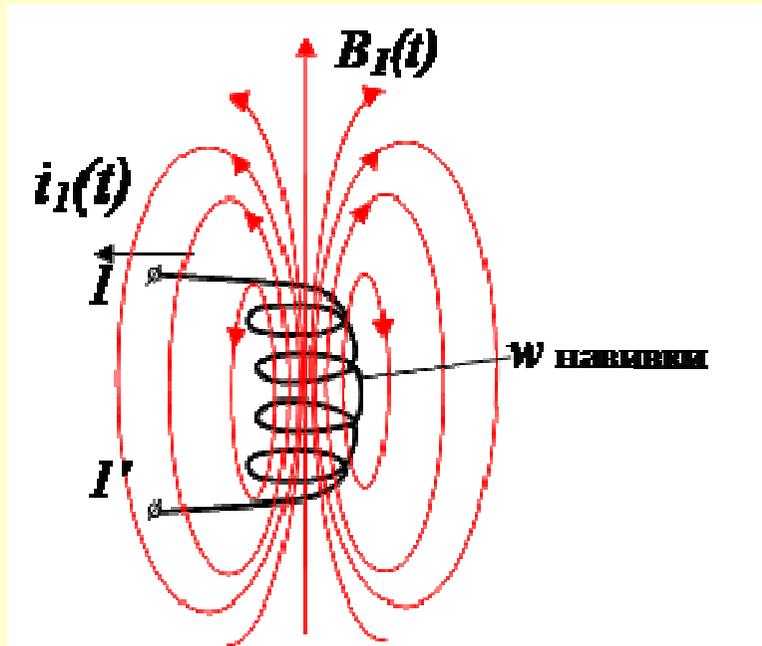
- Вериги, с включени в тях бобини, между които има индуктивни връзки се наричат вериги с индуктивни връзки



- преминаването на ток през едната води до появата на напрежение в другата и обратно
- при анализа на вериги с индуктивни връзки се отчитат и тези допълнителни напрежения

ЕДН на самоиндукция

през бобината "I" преминава променлив ток



$$i_1(t) \longrightarrow B_1(t)$$

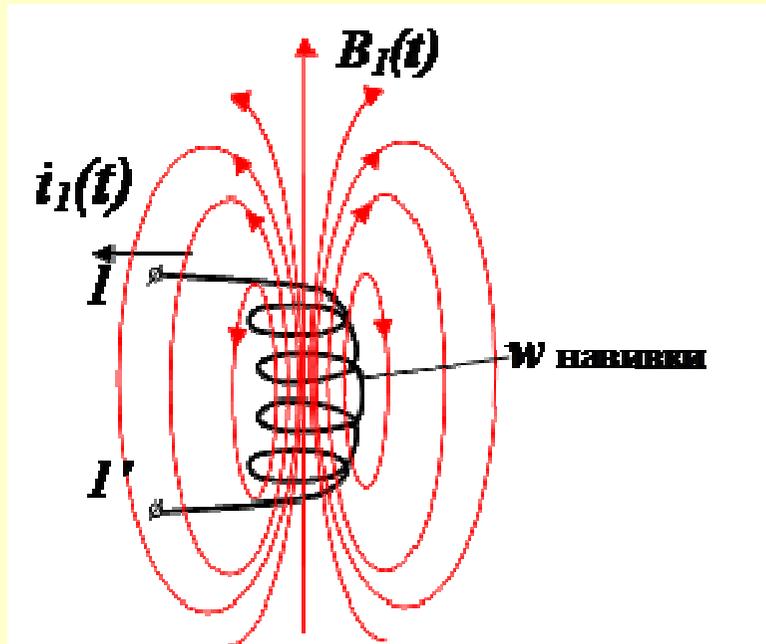
$$\Phi_1(t) = \iint_S B_1(t) dS$$

$$\Psi_1(t) = w \cdot \Phi_1(t)$$

$$e_1(t) = -\frac{d\Psi_1}{dt}$$

- е.д.н. на самоиндукция е пропорционално на скоростта на изменение на тока
- Знакът "-" е.д.н. на самоиндукция се противопоставя на изменението на тока

ЕДН на самоиндукция



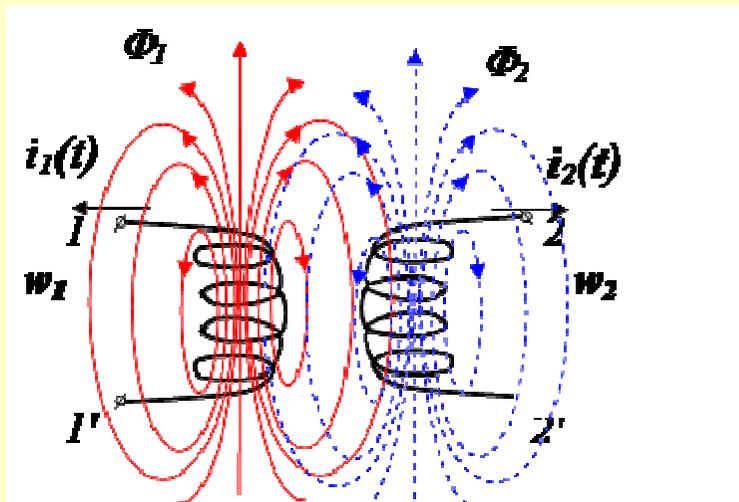
Връзката между потока $\Psi(t)$ и тока $i(t)$, се определя с параметъра L - *собствена индуктивност*.

$$\Psi_1 = L_1 i_1$$

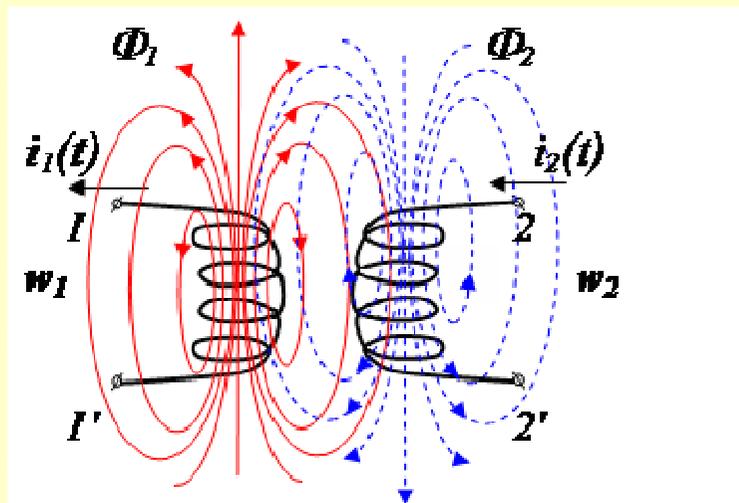
- L зависи от геометрията и характеристиките на средата
- L не зависи от големината на тока

$$e_1(t) = -\frac{d\Psi_1}{dt} = -\frac{d}{dt}(L_1 \cdot i) \quad \Rightarrow \quad e_1(t) = -L_1 \frac{di}{dt}$$

ЕДН на взаимоиנדукция



$$i_1(t) \longrightarrow \Phi_1(t) = \Phi_{11}(t) + \Phi_{21}(t)$$



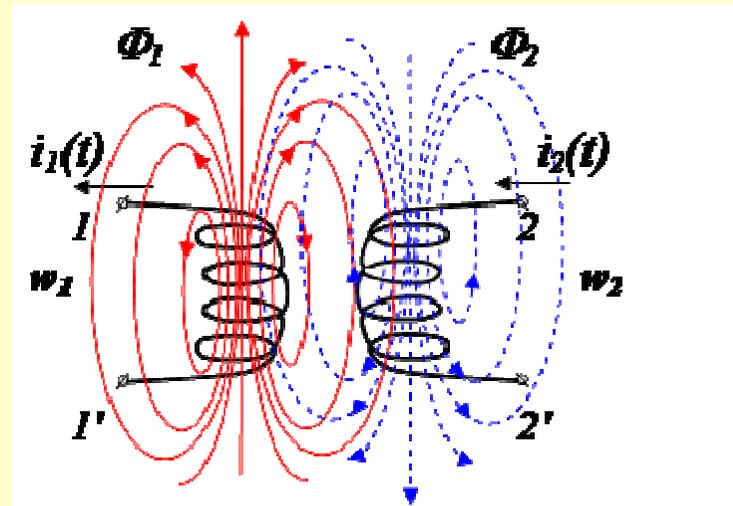
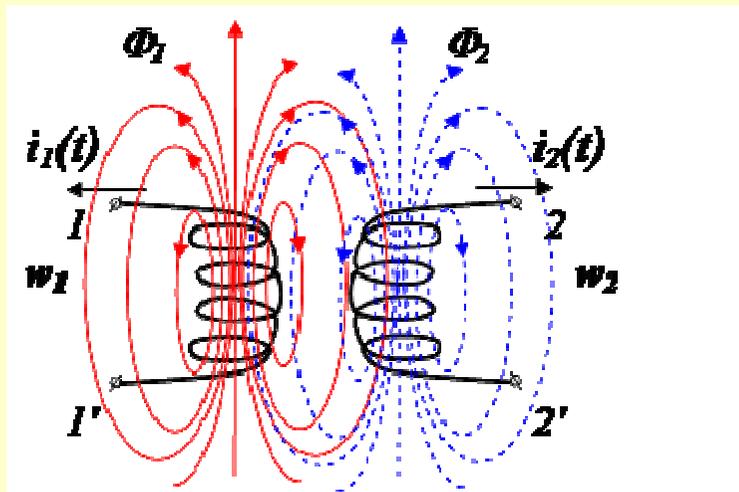
$$i_1(t) \longrightarrow \Phi_1(t) = \Phi_{11}(t) + \Phi_{21}(t)$$

$$i_2(t) \longrightarrow \Phi_2(t) = \Phi_{22}(t) + \Phi_{12}(t)$$

$$\Psi_1 = \Psi_{11} - \Psi_{12} = w_1 \cdot \Phi_{11} - w_1 \cdot \Phi_{12}$$

$$\Psi_2 = \Psi_{22} - \Psi_{21} = w_2 \cdot \Phi_{22} - w_2 \cdot \Phi_{21}$$

ЕДН на взаимоиנדукция



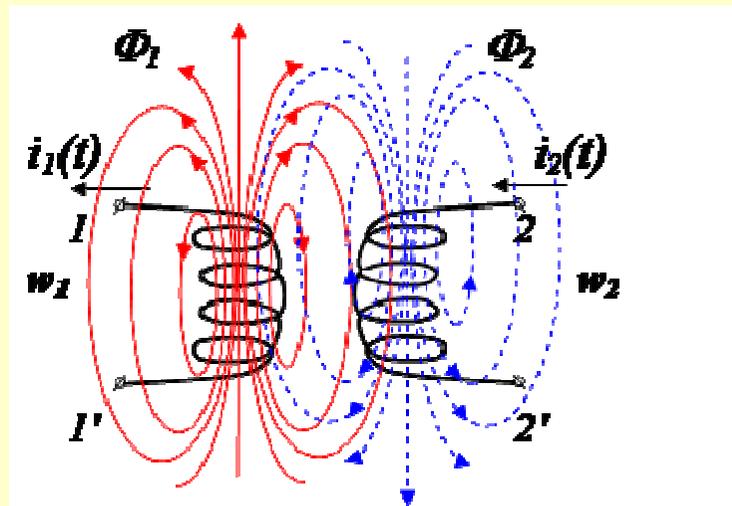
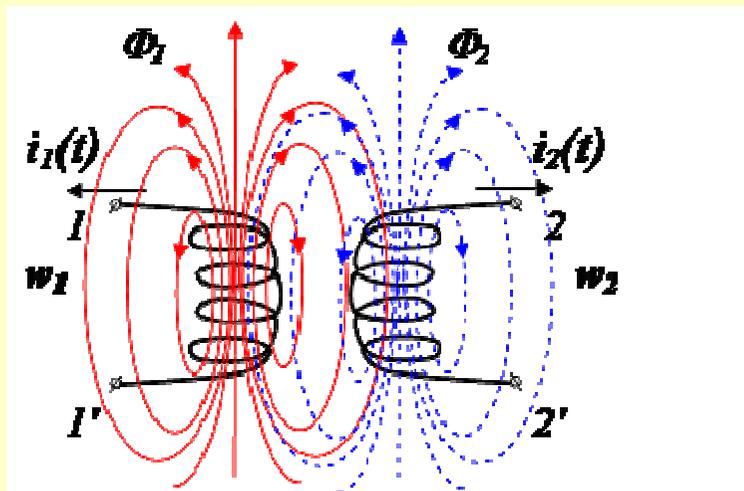
$$\Psi_1 = \Psi_{11} \pm \Psi_{12} = w_1 \cdot \Phi_{11} \pm w_1 \cdot \Phi_{12}$$

$$e_1(t) = -\frac{d\Psi_1}{dt} = -\frac{d}{dt}(\Psi_{11} \pm \Psi_{12}) = -\frac{d}{dt}(L_1 i_1 \pm M_{12} i_2) = -(L_1 \frac{di_1}{dt} \pm M_{12} \frac{di_2}{dt})$$

$$e_{L_1}(t) = -L_1 \frac{di_1}{dt}$$

$$e_{M_1}(t) = \pm M_{12} \frac{di_2}{dt}$$

ЕДН на взаимоиנדукция



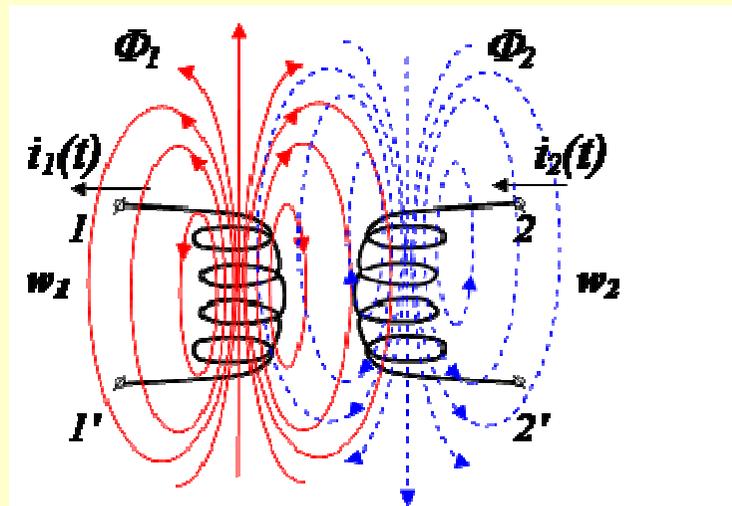
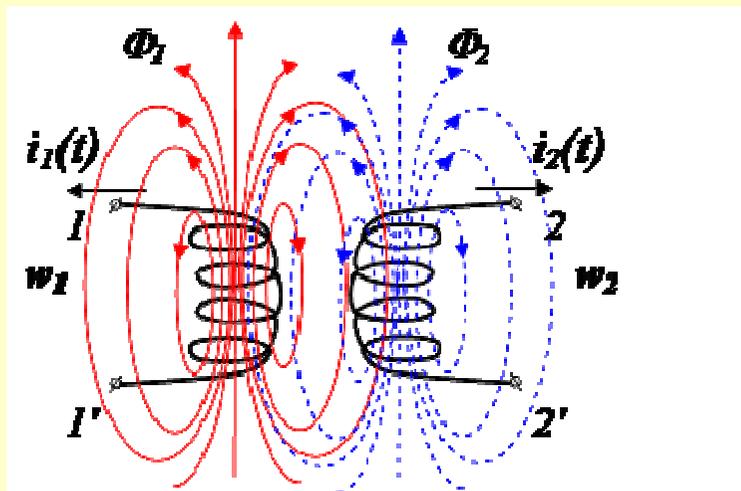
$$\Psi_2 = \Psi_{22} \pm \Psi_{21} = w_2 \cdot \Phi_{22} \pm w_2 \cdot \Phi_{21}$$

$$e_2(t) = -\frac{d\Psi_2}{dt} = -\frac{d}{dt}(\Psi_{22} \pm \Psi_{21}) = -\frac{d}{dt}(L_2 i_2 \pm M_{21} i_1) = -(L_2 \frac{di_2}{dt} \pm M_{21} \frac{di_1}{dt})$$

$$e_{L_2}(t) = -L_2 \frac{di_2}{dt}$$

$$e_{M_2}(t) = \pm M_{21} \frac{di_1}{dt}$$

ЕДН на взаимоиндукция



За бобина "1"

$$e_1(t) = L_1 \frac{di_1}{dt} \pm M_{12} \frac{di_2}{dt}$$

e.д.н. на самоиндукция

За бобина "2"

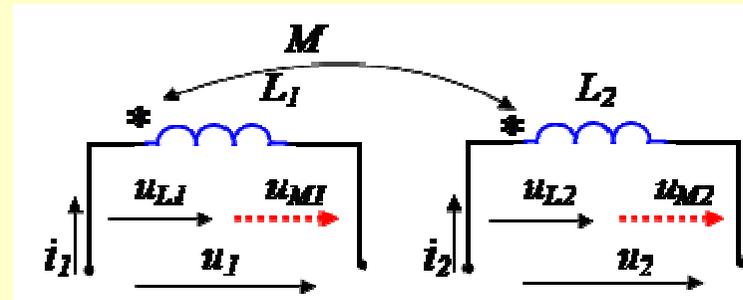
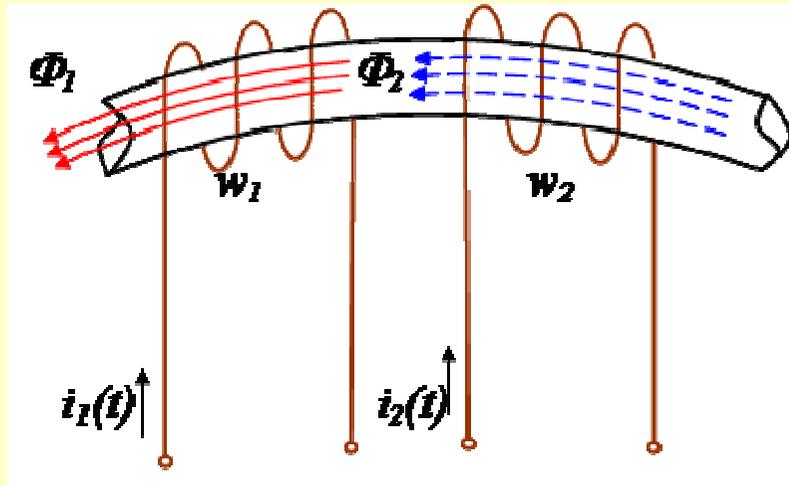
$$e_2(t) = L_2 \frac{di_2}{dt} \pm M_{21} \frac{di_1}{dt}$$

e.д.н. на взаимоиндукция

$$M_{12} = M_{21} = M$$

Едноименни изводи.

Определяне знака на напрежението от взаимна индукция



Съгласувано свързване

Собственият и взаимният магн. поток имат една и съща посока

Токовете са еднакво ориентирани спрямо едновременните изводи

Напрежението е сума от $e. \partial. \Phi$ на самоиндукция и $e. \partial. \Phi$ на взаимноиндукция

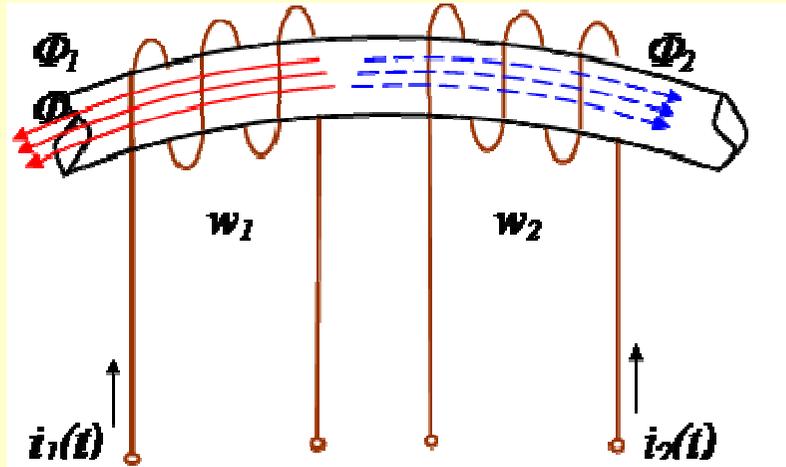
$$u_1 = u_{L1} + u_{M1};$$

$$u_2 = u_{L2} + u_{M2}$$

$$u_1(t) = L_1 \frac{di_1}{dt} + M \frac{di_2}{dt};$$

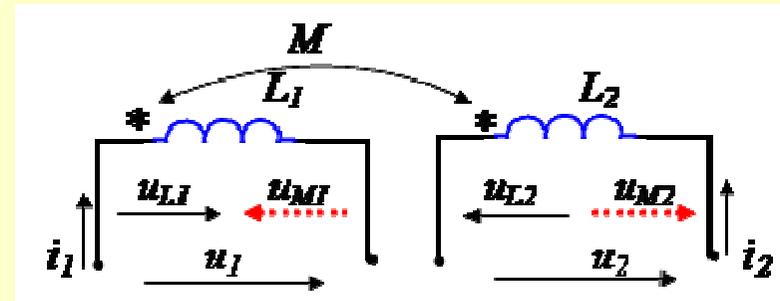
$$u_2(t) = L_2 \frac{di_2}{dt} + M \frac{di_1}{dt}$$

Определяне знака на напрежението от взаимна индукция



$$u_1 = u_{L1} - u_{M1}$$

$$u_2 = u_{L2} - u_{M2}$$



Несъгласувано свързване

Собственият и взаимният магн. поток имат противоположни посоки

Токовете са различно ориентирани спрямо едновременните изводи

Напрежението е **разлика** от е.д.н. на самоиндукция и е.д.н. на взаимноиндукция

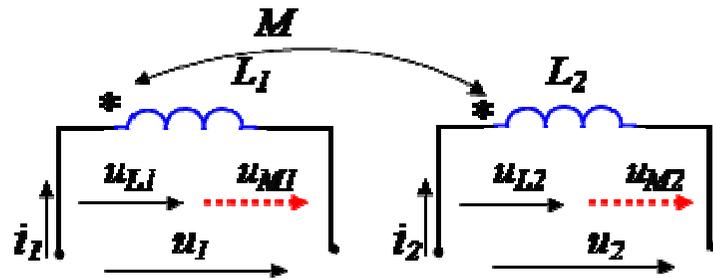
$$u_1 = u_{L1} - u_{M1};$$

$$u_2 = u_{L2} - u_{M2}$$

$$u_1(t) = L_1 \frac{di_1}{dt} - M \frac{di_2}{dt};$$

$$u_2(t) = L_2 \frac{di_2}{dt} - M \frac{di_1}{dt}$$

Определяне знака на напрежението от взаимна индукция

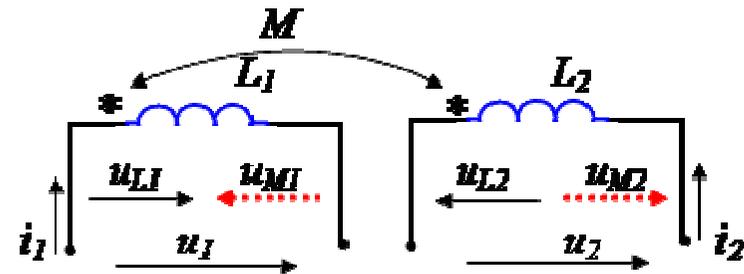


$$u_1(t) = L_1 \frac{di_1}{dt} + M \frac{di_2}{dt}$$

$$u_2(t) = L_2 \frac{di_2}{dt} + M \frac{di_1}{dt}$$

$$\dot{U}_1 = j\omega L_1 \cdot \dot{I}_1 + j\omega M \cdot \dot{I}_2 = Z_{L_1} \cdot \dot{I}_1 + Z_M \cdot \dot{I}_2$$

$$\dot{U}_2 = j\omega L_2 \cdot \dot{I}_2 + j\omega M \cdot \dot{I}_1 = Z_{L_2} \cdot \dot{I}_2 + Z_M \cdot \dot{I}_1$$



$$u_1(t) = L_1 \frac{di_1}{dt} - M \frac{di_2}{dt}$$

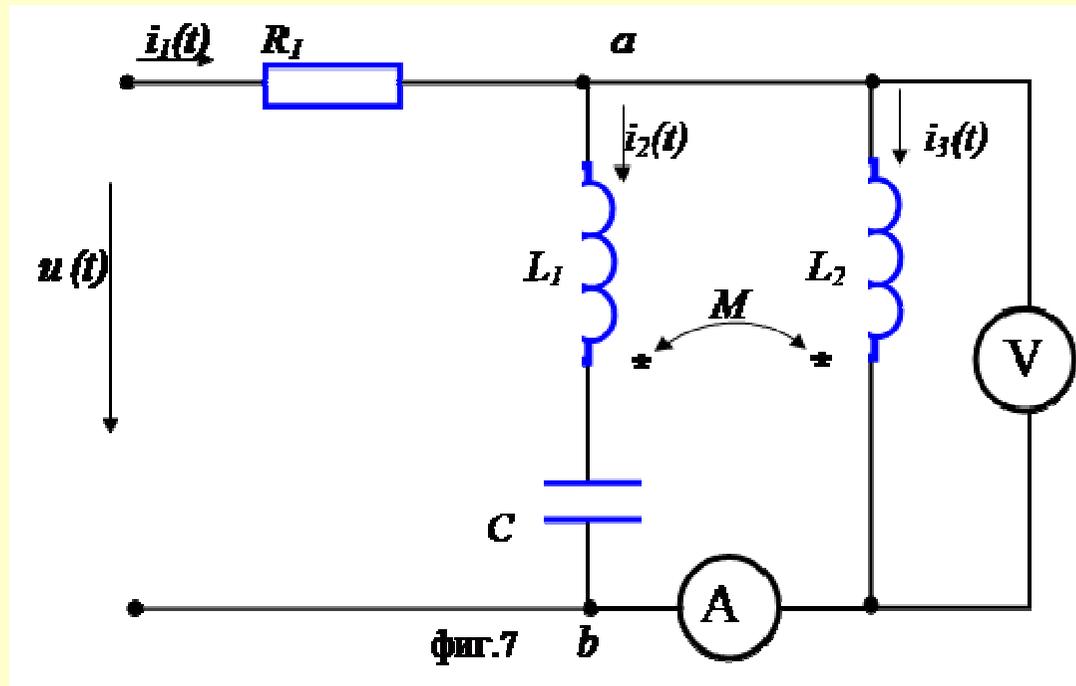
$$u_2(t) = L_2 \frac{di_2}{dt} - M \frac{di_1}{dt}$$

$$\dot{U}_1 = j\omega L_1 \cdot \dot{I}_1 - j\omega M \cdot \dot{I}_2 = Z_{L_1} \cdot \dot{I}_1 - Z_M \cdot \dot{I}_2$$

$$\dot{U}_2 = j\omega L_2 \cdot \dot{I}_2 - j\omega M \cdot \dot{I}_1 = Z_{L_2} \cdot \dot{I}_2 - Z_M \cdot \dot{I}_1$$

Пример за анализ на верига с индуктивни връзки:

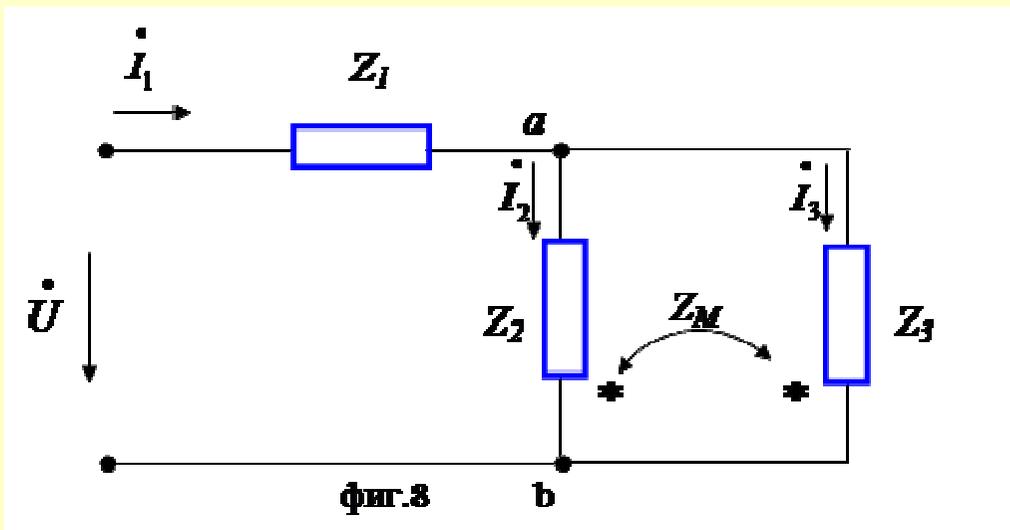
Да се определят токовете $i_1(t)$, $i_2(t)$ и $i_3(t)$ и показанията на уредите.



$$u(t) = 141\sin(\omega t + 90^\circ)V$$

$$\begin{aligned} f &= 160\text{Hz}, \\ L_1 &= 40\text{ mH}, \\ L_2 &= 30\text{ mH}, \\ M &= 10\text{ mH}, \\ C &= 100\ \mu\text{F} \\ R_1 &= 10\ \Omega, \end{aligned}$$

Решение



$$u(t) = 141 \sin(\omega t + 90) V$$

$$\begin{aligned} \dot{U} &= U e^{j\psi_u} = \frac{u_m}{\sqrt{2}} e^{j\psi_u} = \frac{141}{\sqrt{2}} e^{j90} \\ &= 100 \cdot [\cos(90) + j \sin(90)] \\ &= 100 \cdot (0 + j) = j100 V \end{aligned}$$

$$\omega = 2\pi f = 2\pi \cdot 160 \approx 1000 = 10^3 \text{ rad/s}$$

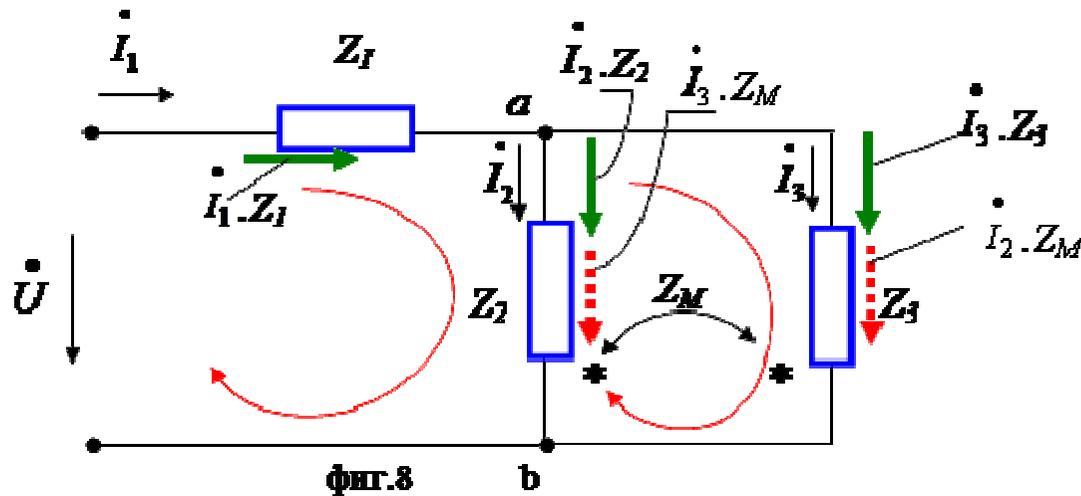
$$Z_1 = R_1 = 10 \Omega$$

$$Z_2 = j\omega L_1 - j \frac{1}{\omega C} = j \cdot 10^3 \cdot 40 \cdot 10^{-3} - j \frac{1}{10^3 \cdot 100 \cdot 10^{-6}} = j(40 - 10) = j30 \Omega$$

$$Z_3 = j\omega L_2 = j \cdot 10^3 \cdot 30 \cdot 10^{-3} = j30 \Omega$$

$$Z_M = j\omega M = j \cdot 10^3 \cdot 10 \cdot 10^{-3} = j10 \Omega$$

Решение



$$n=2$$

$$m=3$$

$$\dot{I}_1 - \dot{I}_2 - \dot{I}_3 = 0$$

$$\dot{I}_1 Z_1 + \dot{I}_2 Z_2 + \dot{I}_3 Z_M = \dot{U}$$

$$\dot{I}_3 Z_3 - \dot{I}_2 Z_2 + \dot{I}_2 Z_M - \dot{I}_3 Z_M = 0$$

Решение

$$\dot{I}_1 - \dot{I}_2 - \dot{I}_3 = 0$$

$$\dot{I}_1 10 + \dot{I}_2 j30 + \dot{I}_3 j10 = j100$$

$$\dot{I}_3 j30 - \dot{I}_2 j30 + \dot{I}_2 j10 - \dot{I}_3 j10 = 0$$

$$\dot{I}_1 - \dot{I}_2 - \dot{I}_3 = 0$$

$$\dot{I}_1 + \dot{I}_2 j3 + \dot{I}_3 j = j10$$

$$\dot{I}_2 = \dot{I}_3$$

Решение

5. Получаваме комплексите на трите тока:

$$\dot{I}_1 = (4 + j2) = 4,47e^{j26,56} A$$

$$\dot{I}_2 = (2 + j) = 2,24e^{j26,56} A$$

$$\dot{I}_3 = \dot{I}_2 = (2 + j) = 2,24e^{j26,56} A$$

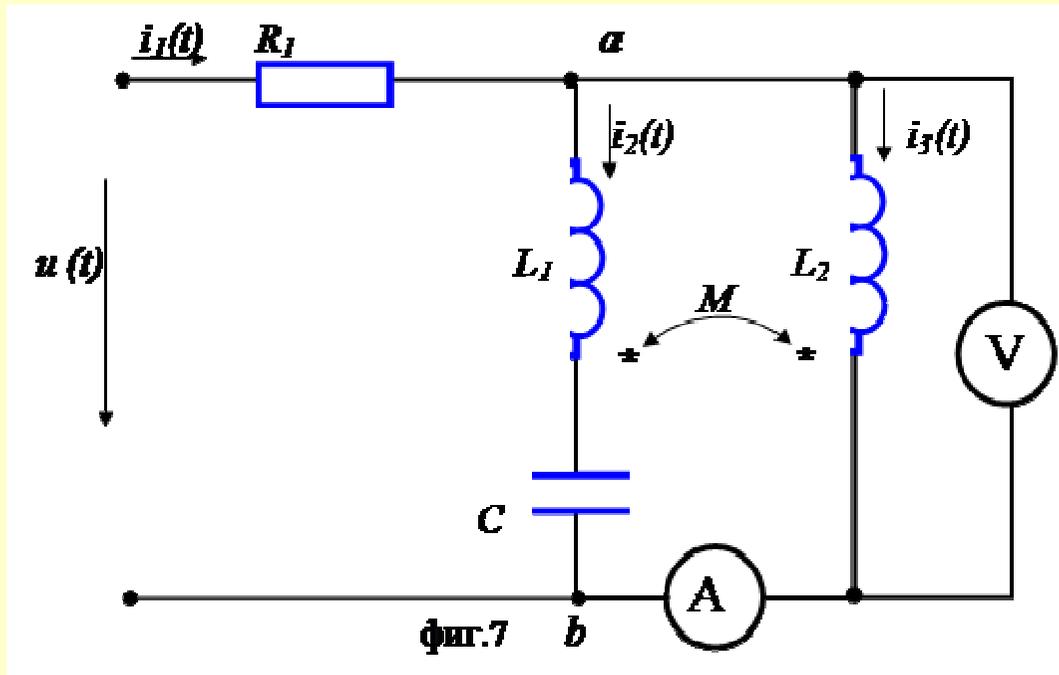
6. Тогава моментните стойности на токовете са:

$$i_1(t) = I_1 \sqrt{2} \sin(\omega t + \psi_1) = 4,47\sqrt{2} \sin(1000t + 26,56^0) A$$

$$i_2(t) = I_2 \sqrt{2} \sin(\omega t + \psi_2) = 2,24\sqrt{2} \sin(1000t + 26,56^0) A$$

$$i_3(t) = I_3 \sqrt{2} \sin(\omega t + \psi_3) = 2,24\sqrt{2} \sin(1000t + 26,56^0) A$$

Показания на уредите:



$$\dot{I}_1 = (4 + j2) = 4,47e^{j26,56} A$$

$$I_A = I_3 = 2,24 A$$

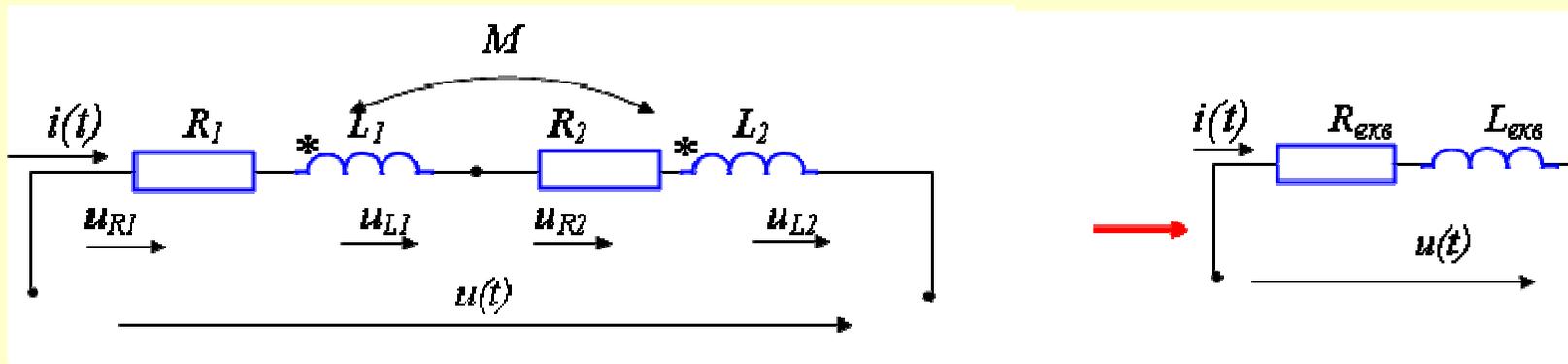
$$U_V = U_{ab}$$

$$\dot{U}_{ab} = Z_2 \cdot \dot{I}_2 + Z_M \cdot \dot{I}_3 = j\omega L_2 \cdot \dot{I}_2 + j\omega M \cdot \dot{I}_3 = (2 + j)j30 + (2 + j)j10 = (-40 + j80)V$$

$$\Rightarrow U_V = U_{ab} = \sqrt{(-40)^2 + 80^2} = 40\sqrt{5} = 89,44V$$

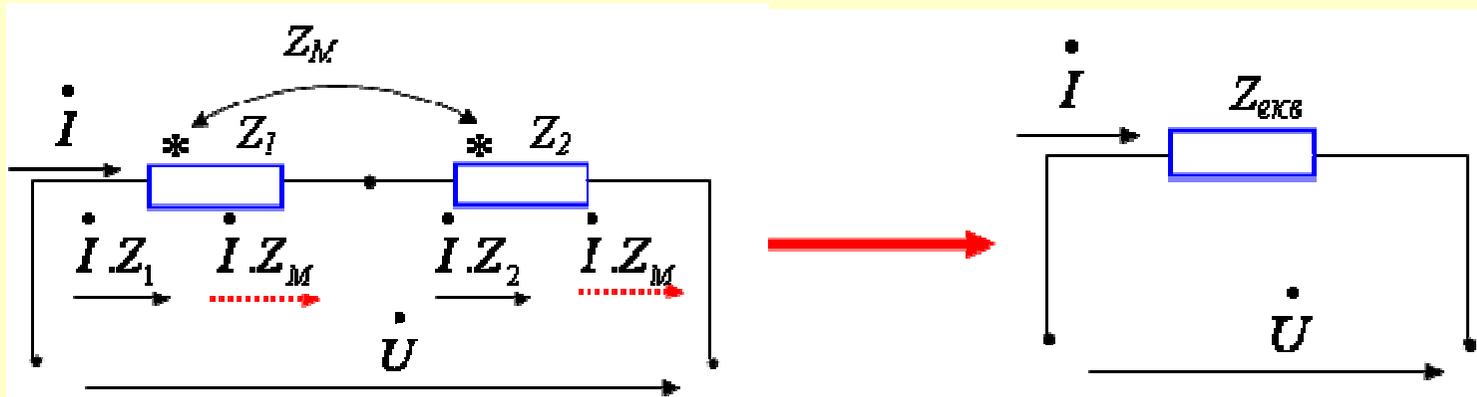
Последователно съединение на два индуктивно свързани елемента.

Съгласувано свързване



$$R_{екв} = R_1 + R_2$$
$$L_{екв} = L_1 + L_2 + 2M$$

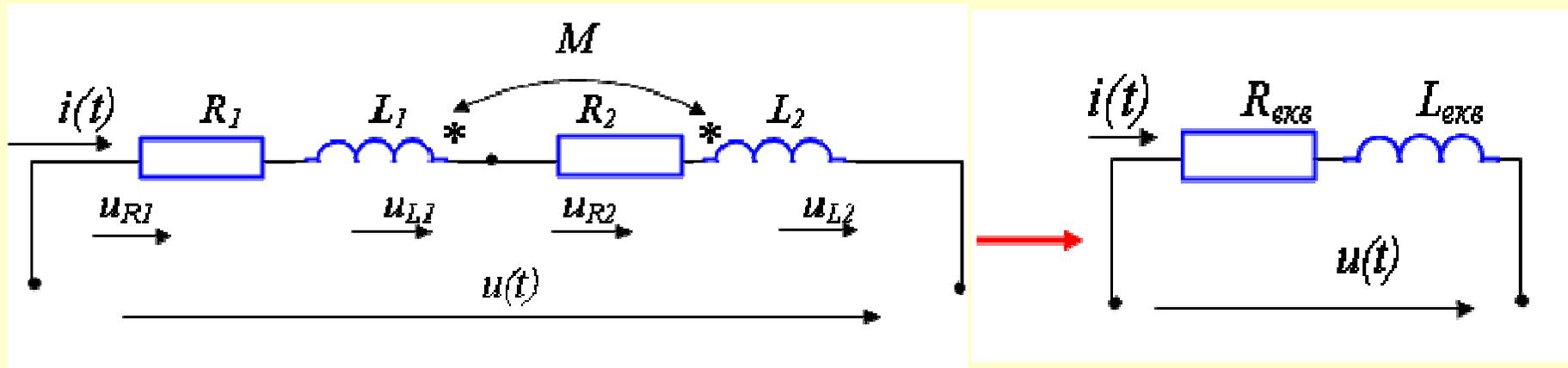
Съгласувано свързване



$$Z_1 = R_1 + j\omega L_1; \quad Z_2 = R_2 + j\omega L_2; \quad Z_M = j\omega M$$

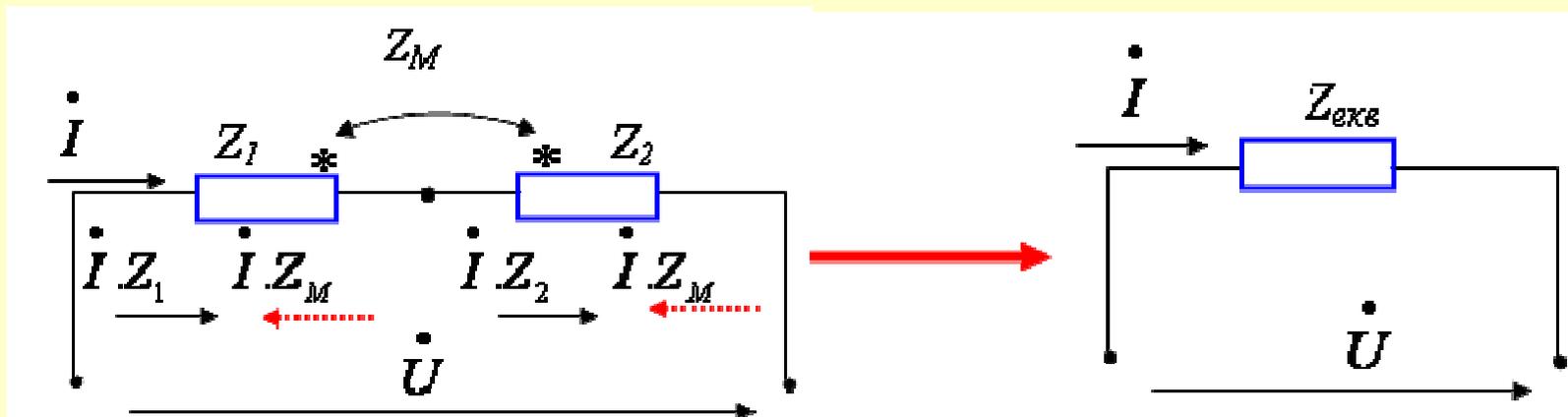
$$Z_{екв} = Z_1 + Z_2 + 2Z_M$$

2. Несъгласувано свързване.



$$R_{екв} = R_1 + R_2$$
$$L_{екв} = L_1 + L_2 - 2M$$

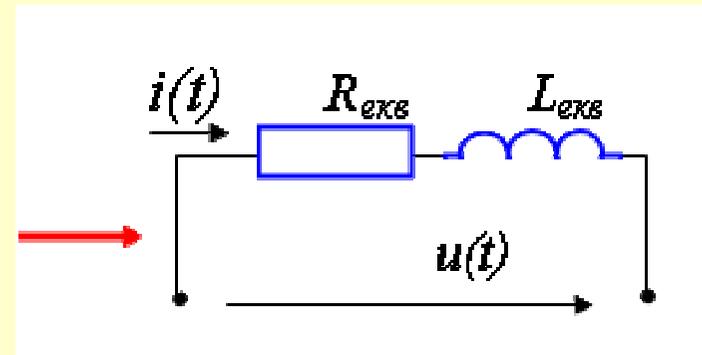
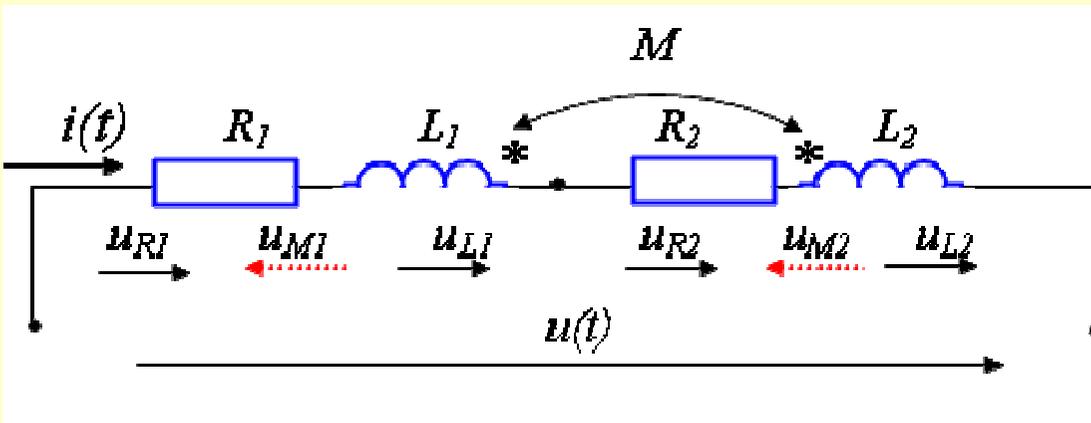
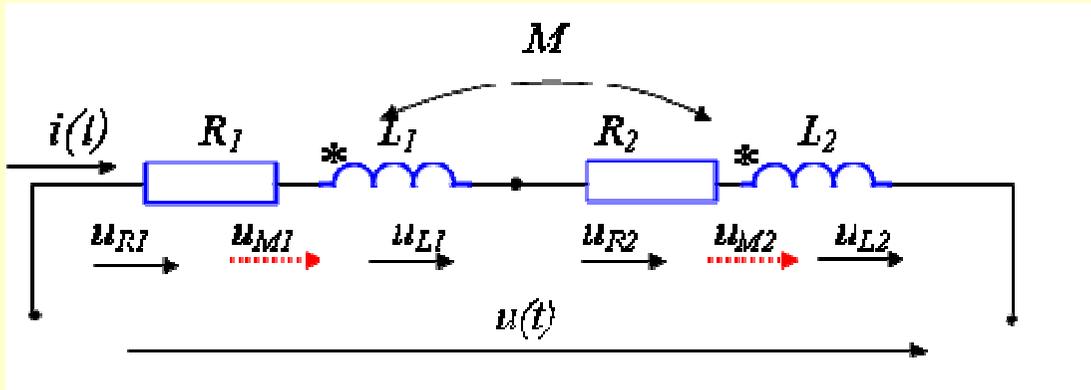
2. Несъгласувано свързване.



$$Z_1 = R_1 + j\omega L_1; \quad Z_2 = R_2 + j\omega L_2; \quad Z_M = j\omega M$$

$$Z_{екв} = Z_1 + Z_2 - 2Z_M$$

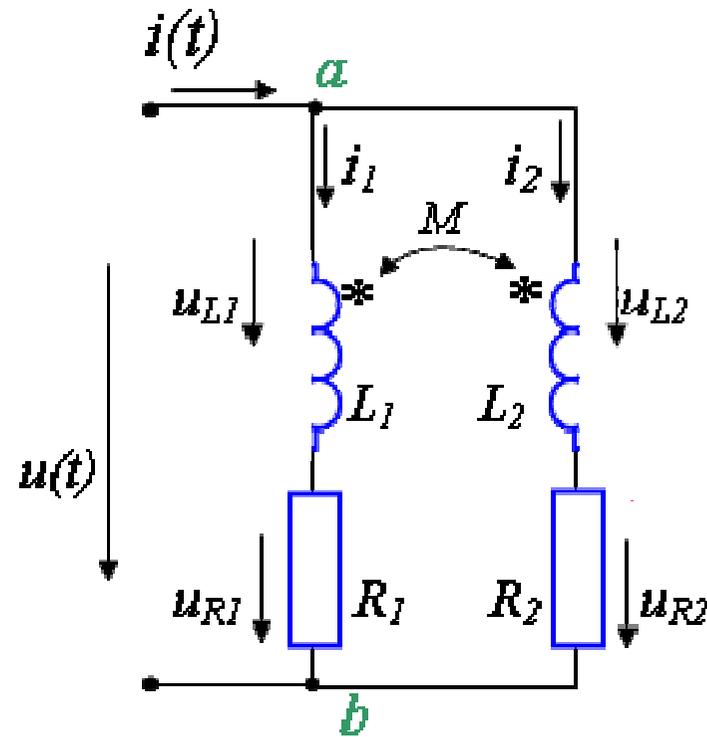
ИЗВОД



$$R_{екв} = R_1 + R_2$$

$$L_{екв} = L_1 + L_2 \pm 2M$$

Паралелно съединение на два индуктивно свързани елемента.



фиг. 12а

$$i(t) = i_1(t) + i_2(t)$$

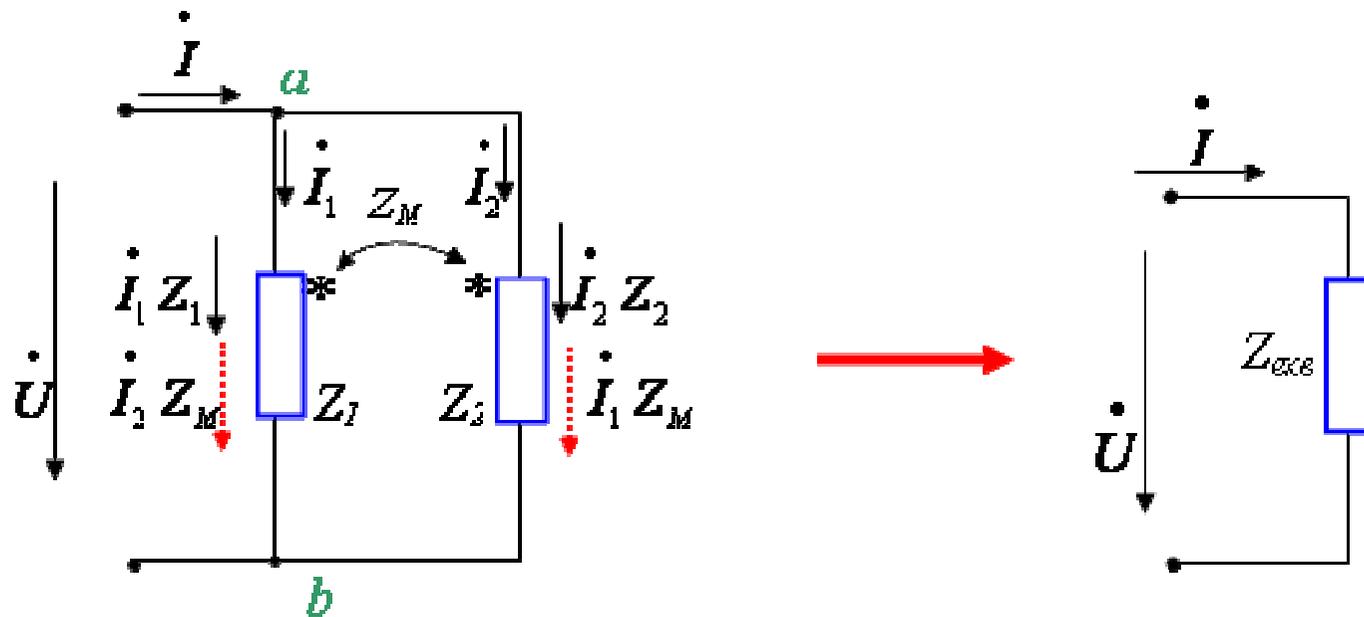
$$u(t) = u_{R_1}(t) + u_{L_1}(t) + u_{M_1}(t)$$

$$u(t) = u_{R_2}(t) + u_{L_2}(t) + u_{M_2}(t)$$

$$i(t) = i_1(t) + i_2(t)$$

$$u(t) = R_1 i_1(t) + L_1 \frac{di_1}{dt} + M \frac{di_2}{dt}$$

$$u(t) = R_2 i_2(t) + L_2 \frac{di_2}{dt} + M \frac{di_1}{dt}$$



$$Z_1 = R_1 + j\omega L_1; \quad Z_2 = R_2 + j\omega L_2; \quad Z_M = j\omega M$$

$$\dot{I} = \dot{I}_1 + \dot{I}_2$$

$$\dot{U} = \dot{I}_1(R_1 + j\omega L_1) + \dot{I}_2 \cdot j\omega M$$

$$\dot{U} = \dot{I}_2(R_2 + j\omega L_2) + \dot{I}_1 \cdot j\omega M$$

$$\dot{I} - \dot{I}_1 - \dot{I}_2 = 0$$

$$\dot{I}_1 Z_1 + \dot{I}_2 \cdot Z_M = \dot{U}$$

$$\dot{I}_1 Z_M + \dot{I}_2 \cdot Z_2 = \dot{U}$$

$$\dot{I} - \dot{I}_1 - \dot{I}_2 = 0$$

$$\dot{I}_1 Z_1 + \dot{I}_2 Z_M = \dot{U}$$

$$\dot{I}_1 Z_M + \dot{I}_2 Z_2 = \dot{U}$$



$$\dot{I}_1 = \frac{\begin{vmatrix} \dot{U} & Z_M \\ \dot{U} & Z_2 \end{vmatrix}}{\begin{vmatrix} Z_1 & Z_M \\ Z_M & Z_2 \end{vmatrix}} = \frac{\dot{U}(Z_2 - Z_M)}{Z_1 Z_2 - Z_M^2}$$

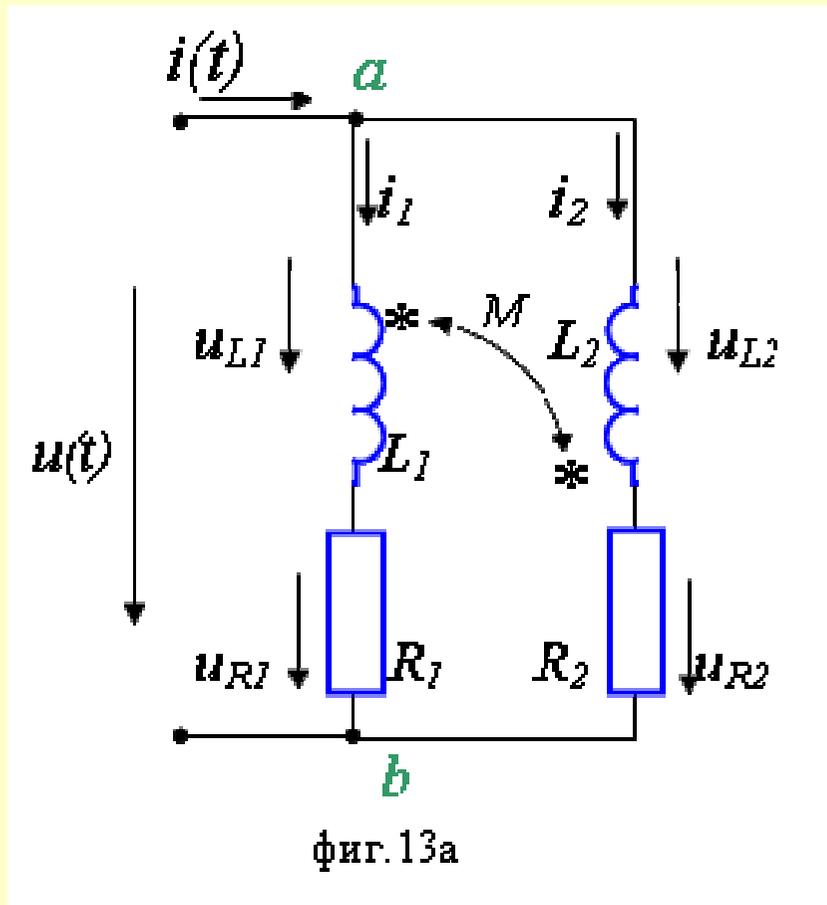
$$\dot{I}_2 = \frac{\begin{vmatrix} Z_1 & \dot{U} \\ Z_M & \dot{U} \end{vmatrix}}{\begin{vmatrix} Z_1 & Z_M \\ Z_M & Z_2 \end{vmatrix}} = \frac{\dot{U}(Z_1 - Z_M)}{Z_1 Z_2 - Z_M^2}$$

$$\dot{I} = \dot{I}_1 + \dot{I}_2$$

$$\dot{I} = \frac{\dot{U}(Z_1 + Z_2 - 2Z_M)}{Z_1 Z_2 - Z_M^2}$$

$$Z_{\text{экв}} = \frac{\dot{U}}{\dot{I}} = \frac{Z_1 Z_2 - Z_M^2}{Z_1 + Z_2 - 2Z_M}$$

Несъгласувано свързване



$$i(t) = i_1(t) + i_{2_1}(t)$$

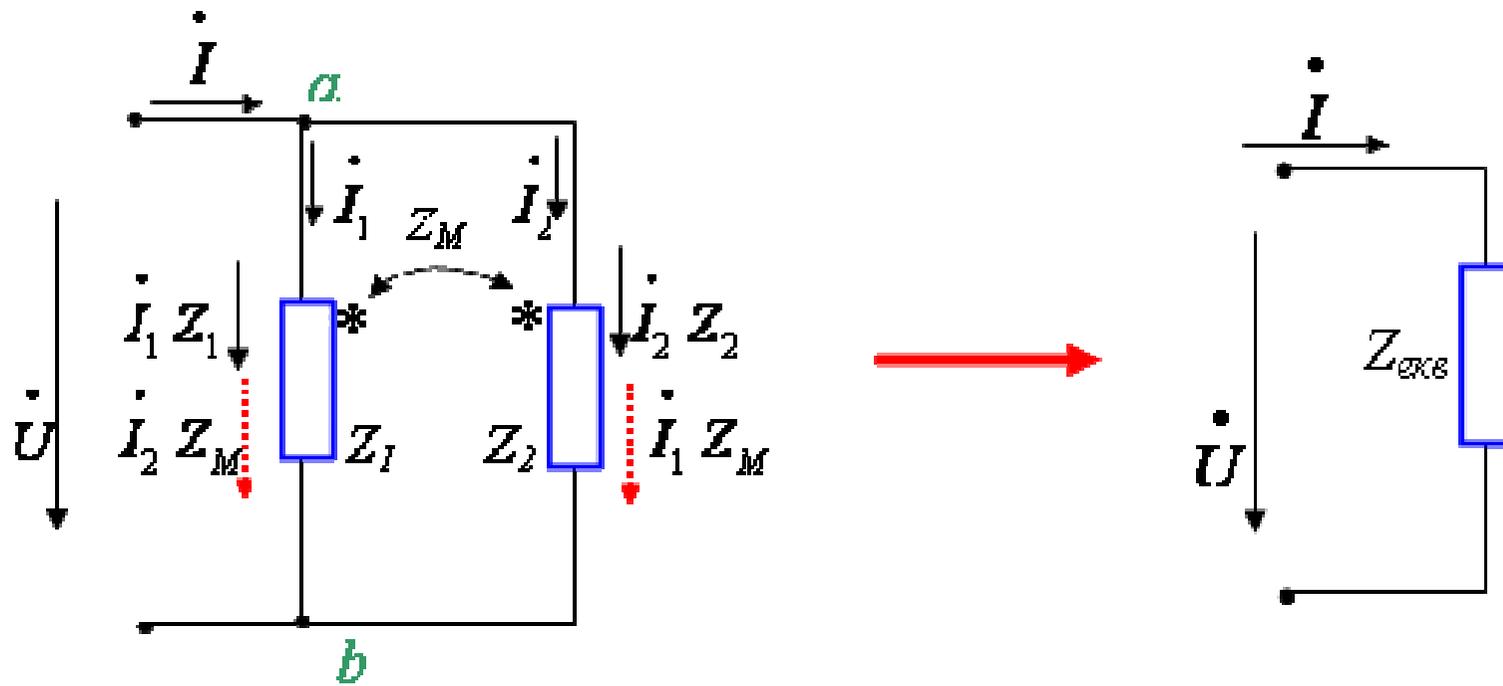
$$u(t) = u_{R_1}(t) + u_{L_1}(t) - u_{M_1}(t)$$

$$u(t) = u_{R_2}(t) + u_{L_2}(t) - u_{M_2}(t)$$

$$i(t) = i_1(t) + i_{2_1}(t)$$

$$u(t) = R_1 i_1(t) + L_1 \frac{di_1}{dt} - M \frac{di_2}{dt}$$

$$u(t) = R_2 i_2(t) + L_2 \frac{di_2}{dt} - M \frac{di_1}{dt}$$



$$\dot{I} = \dot{I}_1 + \dot{I}_2$$

$$\dot{U} = \dot{I}_1(R_1 + j\omega L_1) - \dot{I}_2 \cdot j\omega M$$

$$\dot{U} = \dot{I}_2(R_2 + j\omega L_2) - \dot{I}_1 \cdot j\omega M$$

$$\dot{I} - \dot{I}_1 - \dot{I}_2 = 0$$

$$\dot{I}_1 Z_1 - \dot{I}_2 \cdot Z_M = \dot{U}$$

$$\dot{I}_1 Z_M - \dot{I}_2 \cdot Z_2 = \dot{U}$$

$$\dot{I} - \dot{I}_1 - \dot{I}_2 = 0$$

$$\dot{I}_1 Z_1 - \dot{I}_2 Z_M = \dot{U}$$

$$\dot{I}_1 Z_M - \dot{I}_2 Z_2 = \dot{U}$$



$$\dot{I}_1 = \frac{\begin{vmatrix} \dot{U} & -Z_M \\ \dot{U} & Z_2 \end{vmatrix}}{\begin{vmatrix} Z_1 & -Z_M \\ -Z_M & Z_2 \end{vmatrix}} = \frac{\dot{U}(Z_2 + Z_M)}{Z_1 Z_2 - Z_M^2}$$

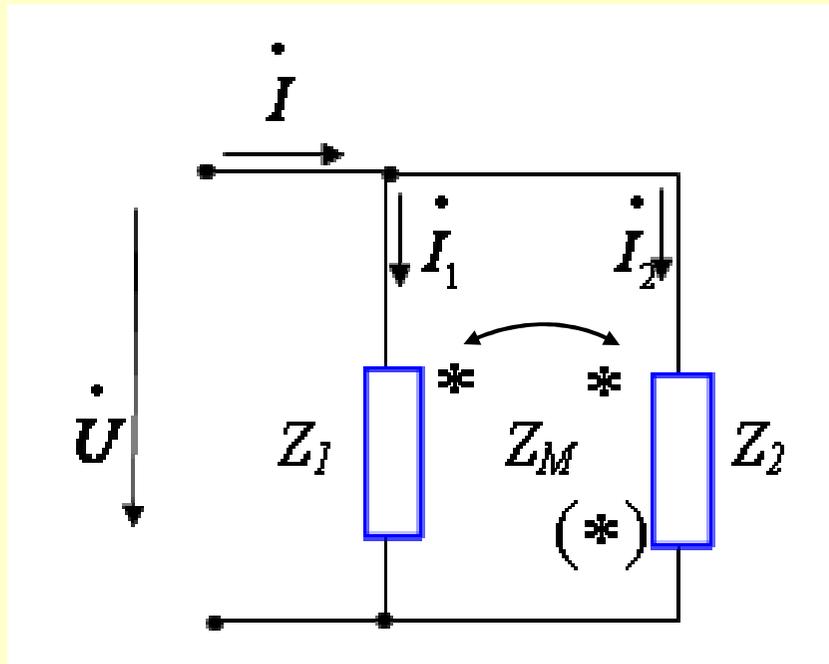
$$\dot{I}_2 = \frac{\begin{vmatrix} Z_1 & \dot{U} \\ -Z_M & \dot{U} \end{vmatrix}}{\begin{vmatrix} Z_1 & -Z_M \\ -Z_M & Z_2 \end{vmatrix}} = \frac{\dot{U}(Z_1 + Z_M)}{Z_1 Z_2 - Z_M^2}$$

$$\dot{I} = \dot{I}_1 + \dot{I}_2$$

$$\dot{I} = \frac{\dot{U}(Z_1 + Z_2 + 2Z_M)}{Z_1 Z_2 - Z_M^2}$$

$$Z_{екв} = \frac{\dot{U}}{\dot{I}} = \frac{Z_1 Z_2 - Z_M^2}{Z_1 + Z_2 + 2Z_M}$$

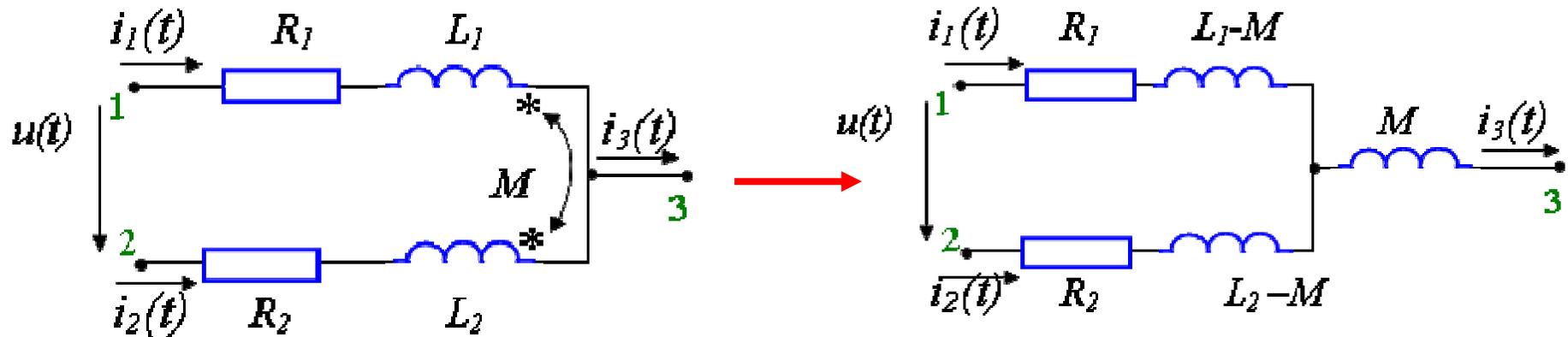
ИЗВОД



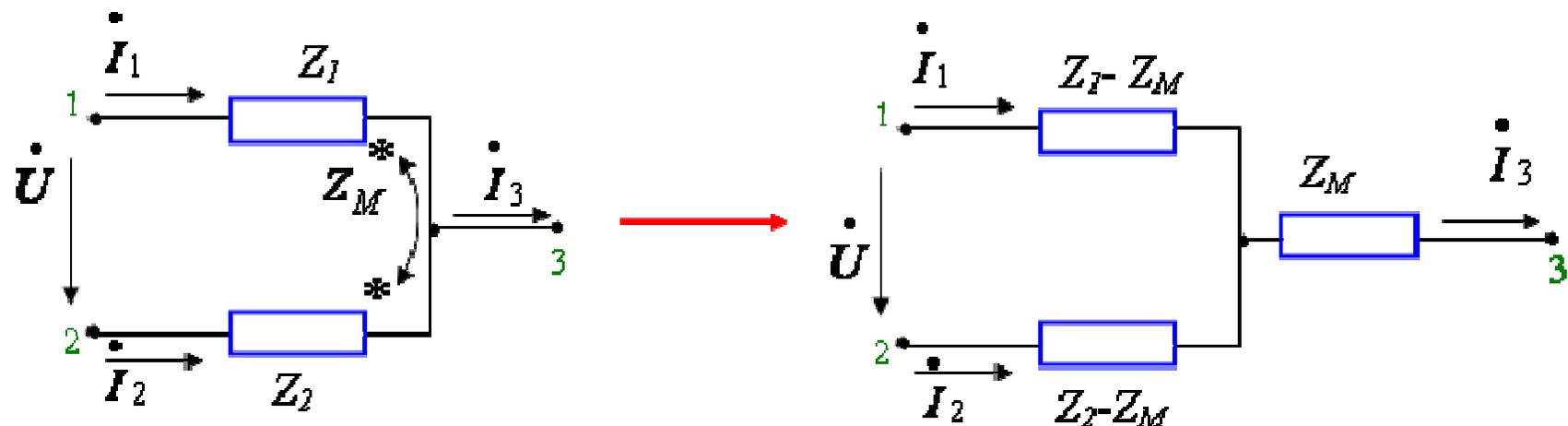
$$Z_{\text{екв}} = \frac{Z_1 Z_2 - Z_M^2}{Z_1 + Z_2 \mp 2Z_M}$$

Преобразуване на триполюсно съединение с индуктивна връзка

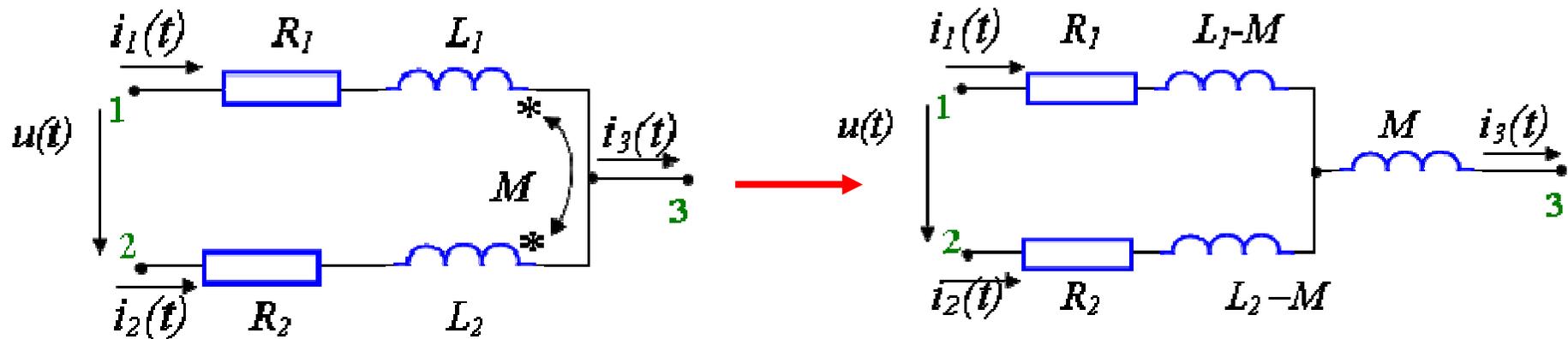
Съгласувано свързване



фиг. 15



Доказательство



$$\dot{I}_3 = \dot{I}_1 + \dot{I}_2$$

$$\dot{U}_{13} = \dot{I}_1(R_1 + j\omega L_1) + \dot{I}_2 \cdot j\omega M$$

$$\dot{U}_{23} = \dot{I}_2(R_2 + j\omega L_2) + \dot{I}_1 \cdot j\omega M$$

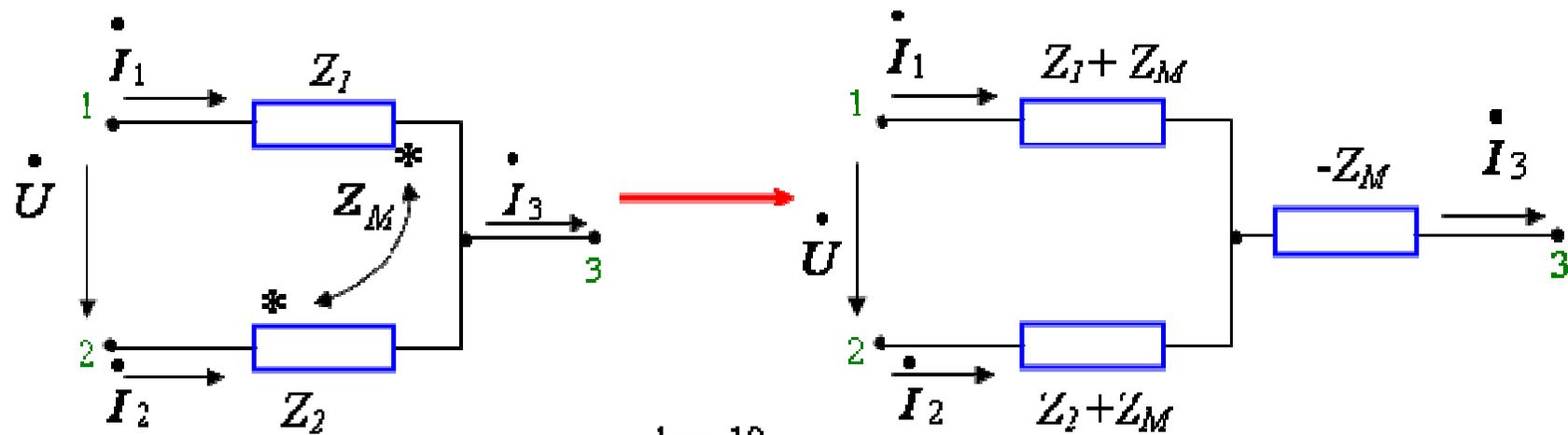
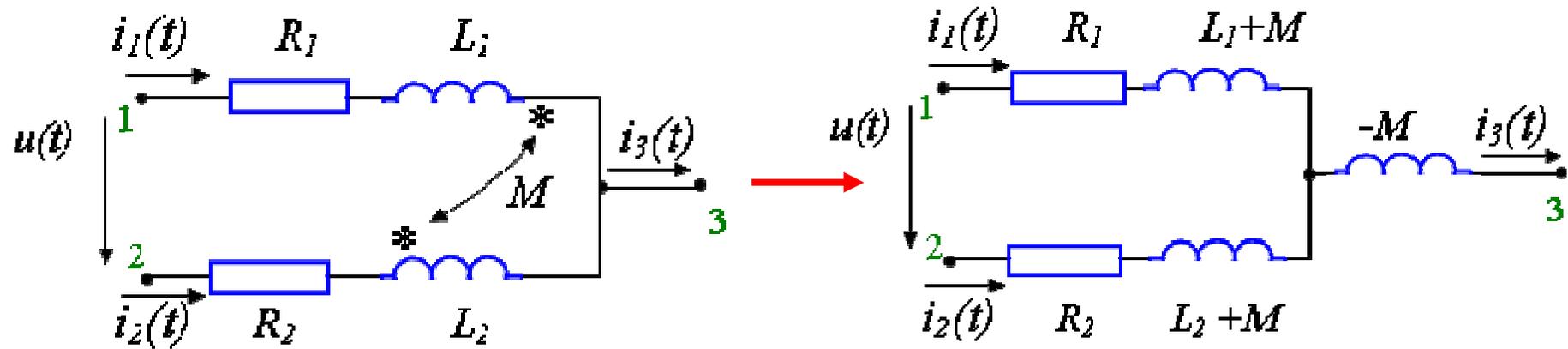
$$\dot{U}_{13} = \dot{I}_1(R_1 + j\omega L_1) + (\dot{I}_3 - \dot{I}_1) \cdot j\omega M$$

$$\dot{U}_{23} = \dot{I}_2(R_2 + j\omega L_2) + (\dot{I}_3 - \dot{I}_2) \cdot j\omega M$$

$$\dot{U}_{13} = \dot{I}_1 R_1 + \dot{I}_1 j\omega(L_1 - M) + \dot{I}_3 \cdot j\omega M$$

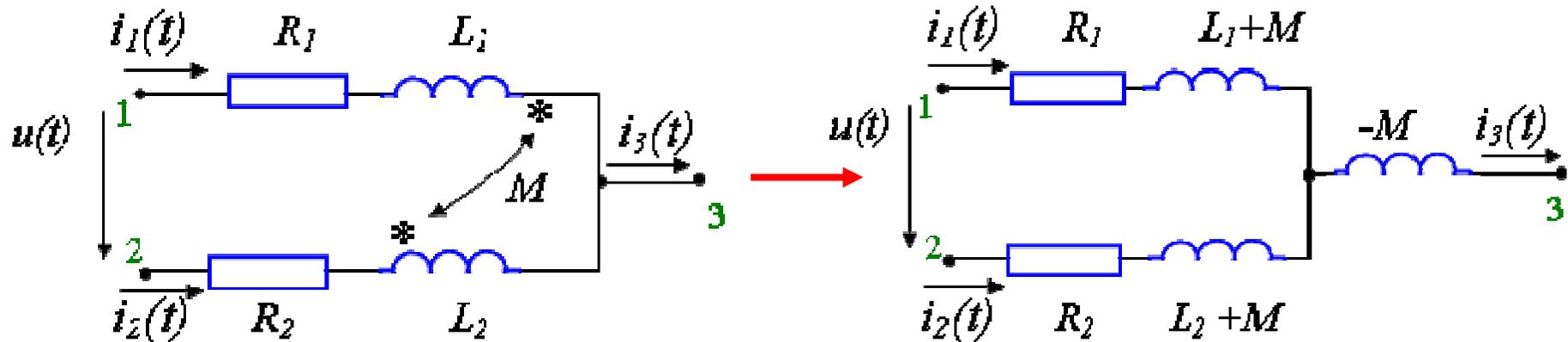
$$\dot{U}_{23} = \dot{I}_2 R_2 + \dot{I}_2 j\omega(L_2 - M) + \dot{I}_3 \cdot j\omega M$$

Несъгласувано свързване



фиг. 19

Доказательство



$$\dot{I}_3 = \dot{I}_1 + \dot{I}_2$$

$$\dot{U}_{13} = \dot{I}_1(R_1 + j\omega L_1) - \dot{I}_2 \cdot j\omega M$$

$$\dot{U}_{23} = \dot{I}_2(R_2 + j\omega L_2) - \dot{I}_1 \cdot j\omega M$$

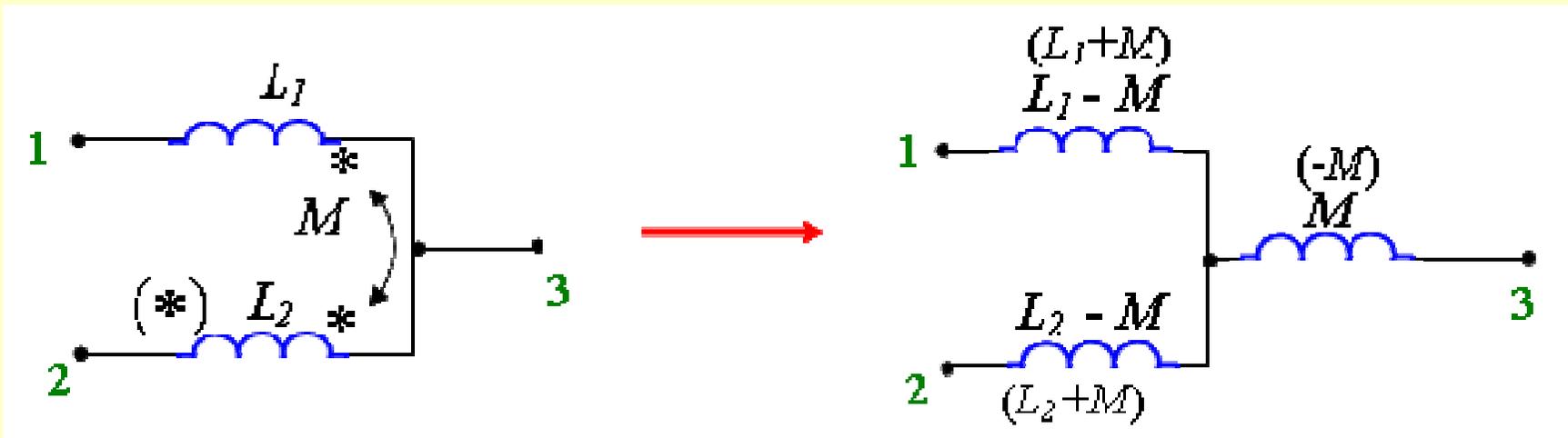
$$\dot{U}_{13} = \dot{I}_1(R_1 + j\omega L_1) - (\dot{I}_3 - \dot{I}_1) \cdot j\omega M$$

$$\dot{U}_{23} = \dot{I}_2(R_2 + j\omega L_2) - (\dot{I}_3 - \dot{I}_2) \cdot j\omega M$$

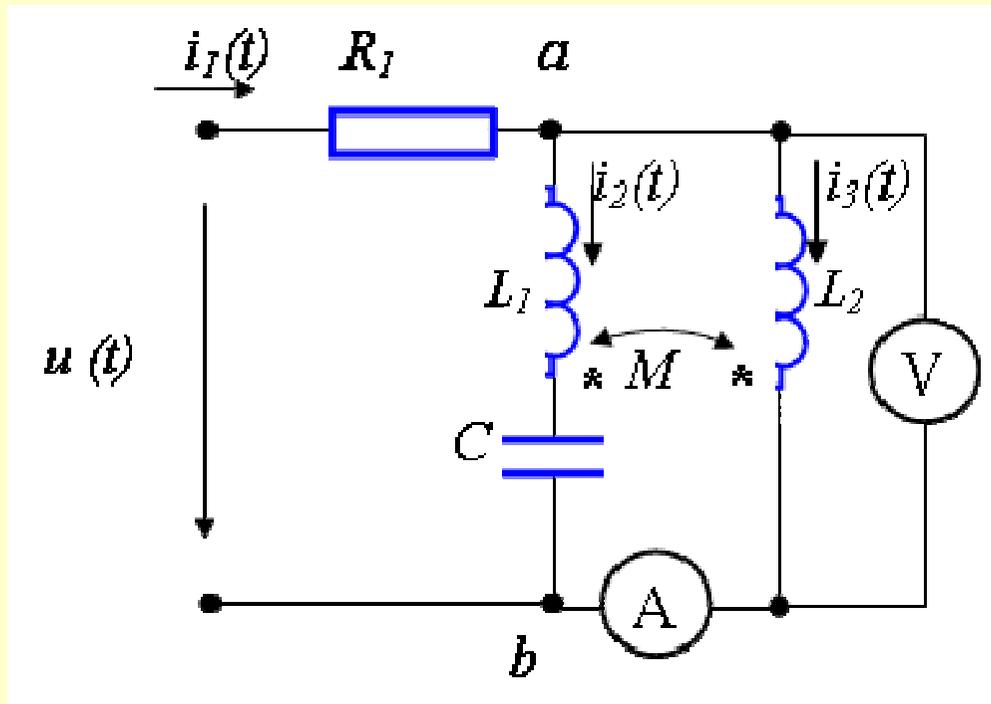
$$\dot{U}_{13} = \dot{I}_1 R_1 + \dot{I}_1 j\omega(L_1 + M) - \dot{I}_3 \cdot j\omega M$$

$$\dot{U}_{23} = \dot{I}_2 R_2 + \dot{I}_2 j\omega(L_2 + M) - \dot{I}_3 \cdot j\omega M$$

ИЗВОД:

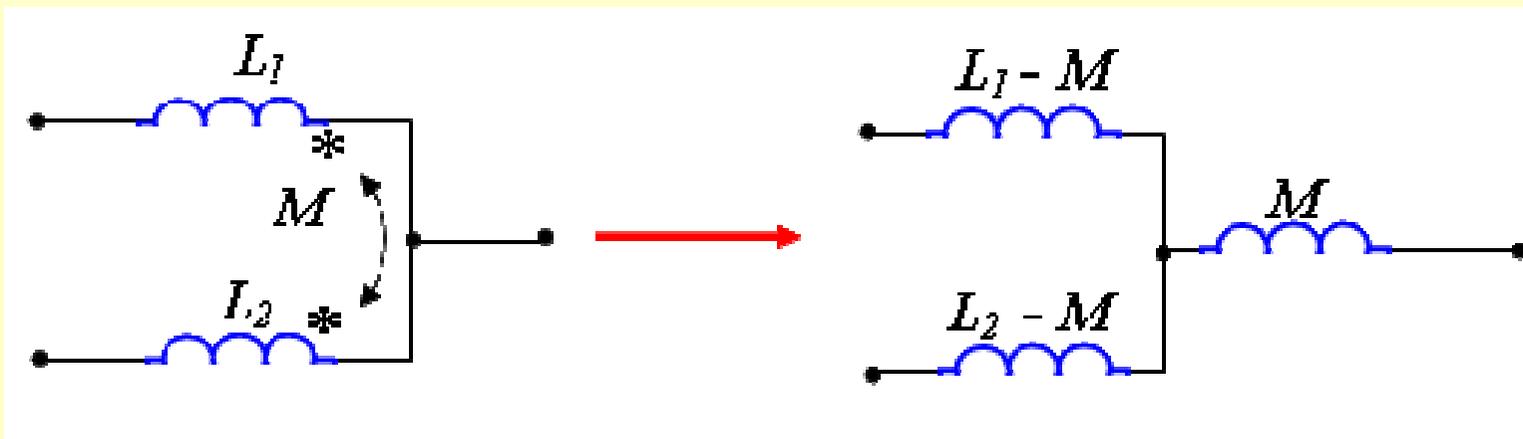
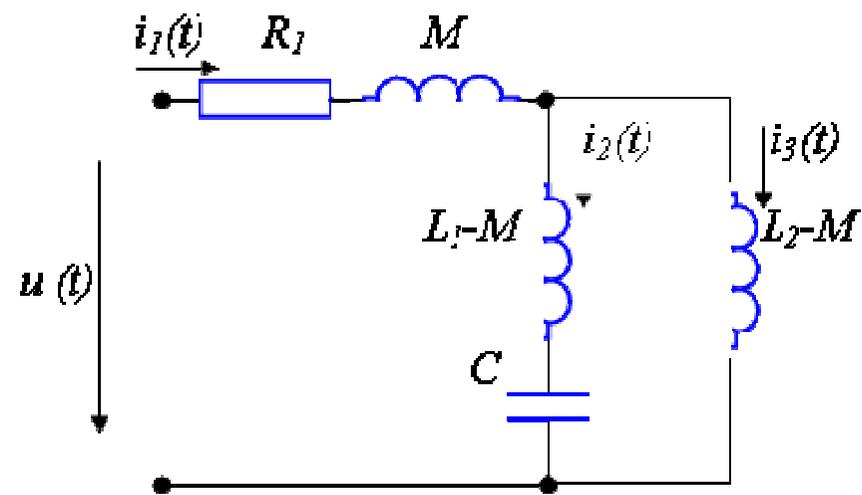
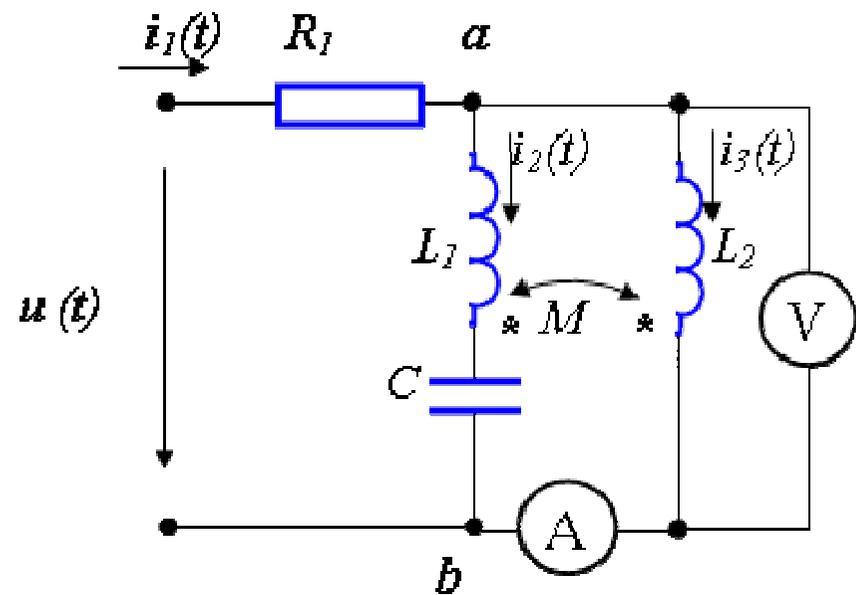


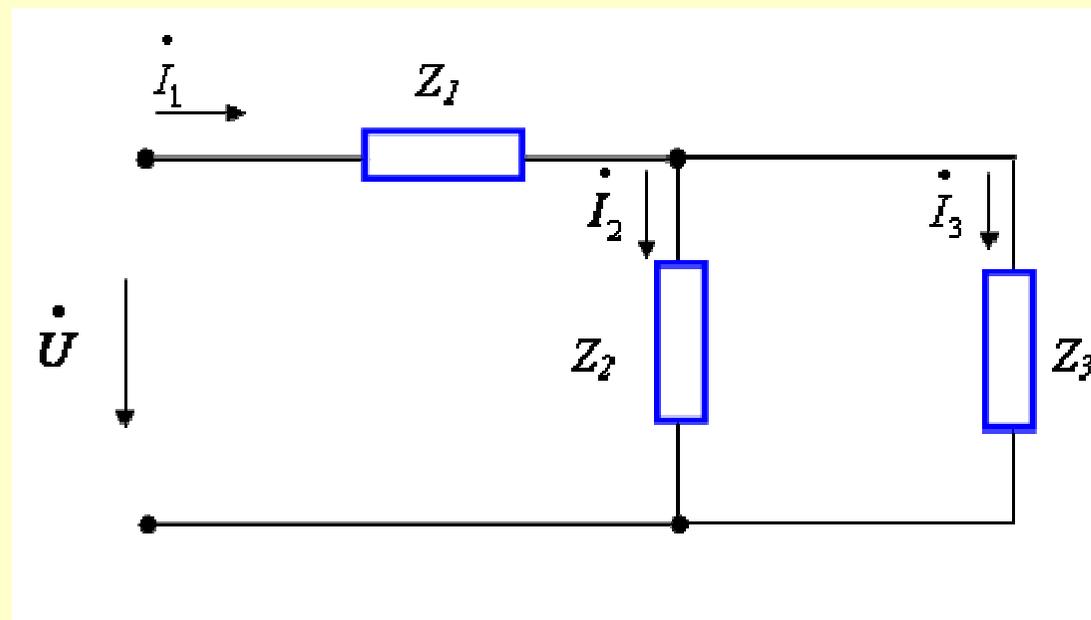
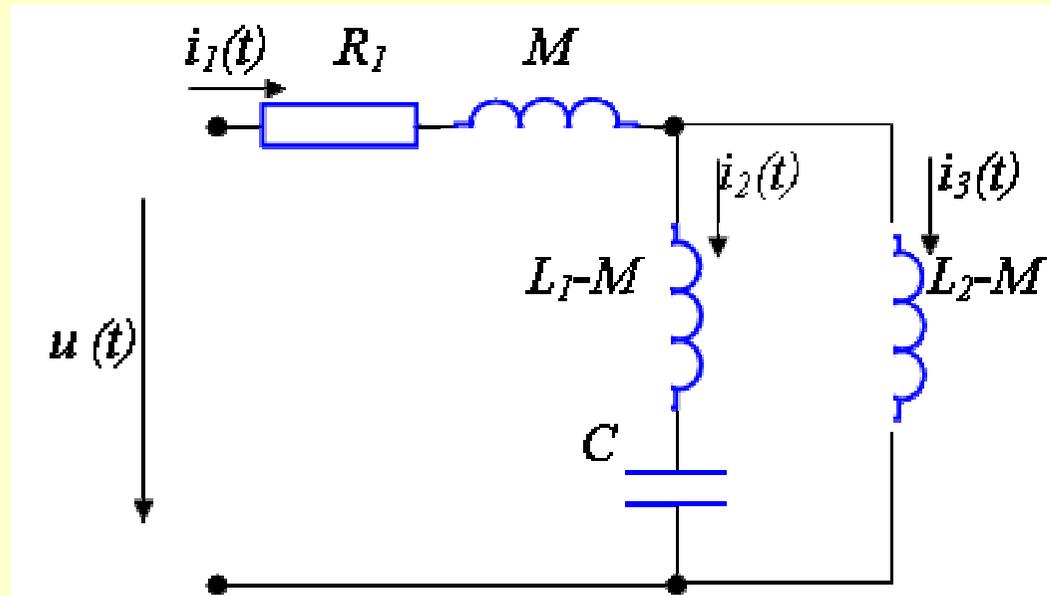
**Пример за анализ на верига с индуктивни връзки
посредством отстраняване на индуктивната връзка:**

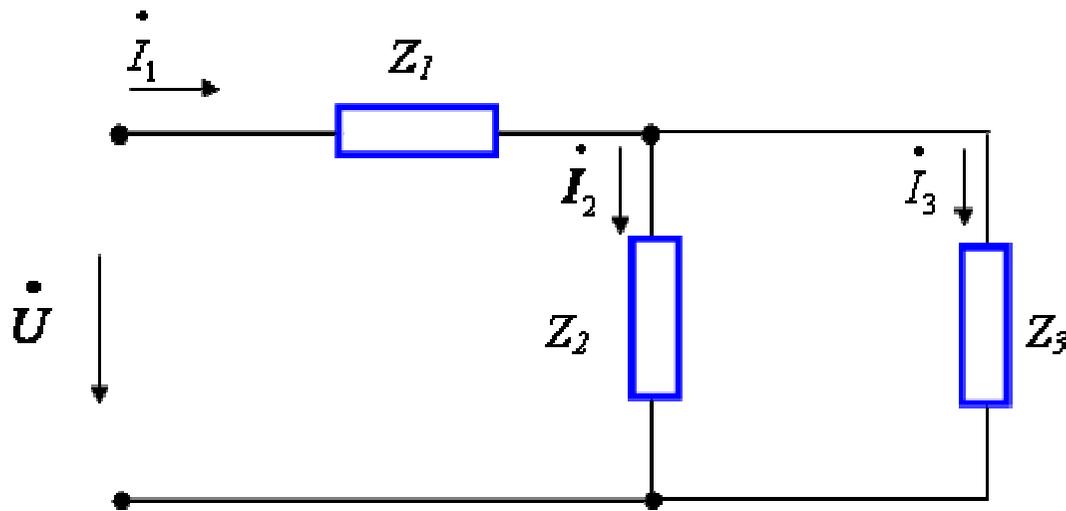


$$u(t) = 141\sin(\omega t + 90)V$$

$$\begin{aligned} f &= 160\text{Hz}, \\ L_1 &= 40\text{mH}, \\ L_2 &= 30\text{mH}, \\ M &= 10\text{mH}, \\ C &= 100\mu\text{F} \\ R_1 &= 10\Omega, \end{aligned}$$







$$u(t) = 141\sin(\omega t + 90)V$$

$$f = 160\text{Hz},$$

$$L_1 = 40\text{ mH},$$

$$L_2 = 30\text{ mH},$$

$$M = 10\text{ mH},$$

$$C = 100\text{ }\mu\text{F}$$

$$R_1 = 10\Omega,$$

$$\dot{U} = Ue^{j\psi_u} = \frac{u_m}{\sqrt{2}}e^{j\psi_u} = \frac{141}{\sqrt{2}}e^{j90} =$$

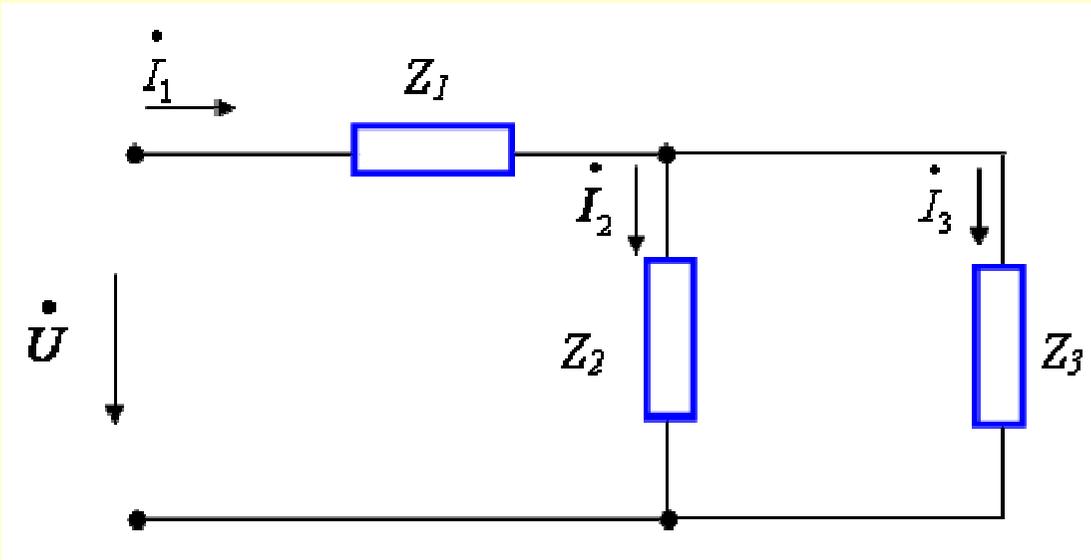
$$100 \cdot [\cos(90) + j\sin(90)] = 100 \cdot (0 + j) = j100V$$

$$\omega = 2\pi f = 2\pi \cdot 160 \approx 1000 = 10^3 \text{ rad/s}$$

$$Z_1 = R_1 + j\omega M = (10 + j \cdot 10^3 \cdot 10 \cdot 10^{-3}) = (10 + j10)\Omega$$

$$Z_2 = j\omega(L_1 - M) - j\frac{1}{\omega C} = j \cdot 10^3 \cdot (40 - 10) \cdot 10^{-3} - j\frac{1}{10^3 \cdot 100 \cdot 10^{-6}} = j30 - j10 = j20\Omega$$

$$Z_3 = j\omega(L_2 - M) = j \cdot 10^3 \cdot (30 - 10) \cdot 10^{-3} = j20\Omega$$

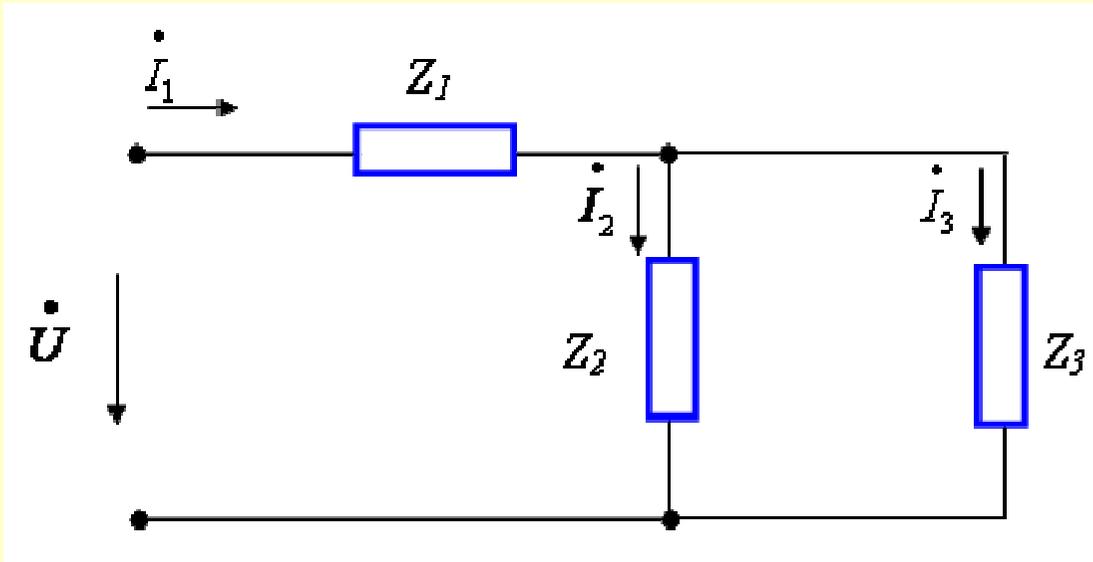


$$\dot{U} = j100V$$

$$Z_1 = (10 + j10) \Omega$$

$$Z_2 = j20 \Omega$$

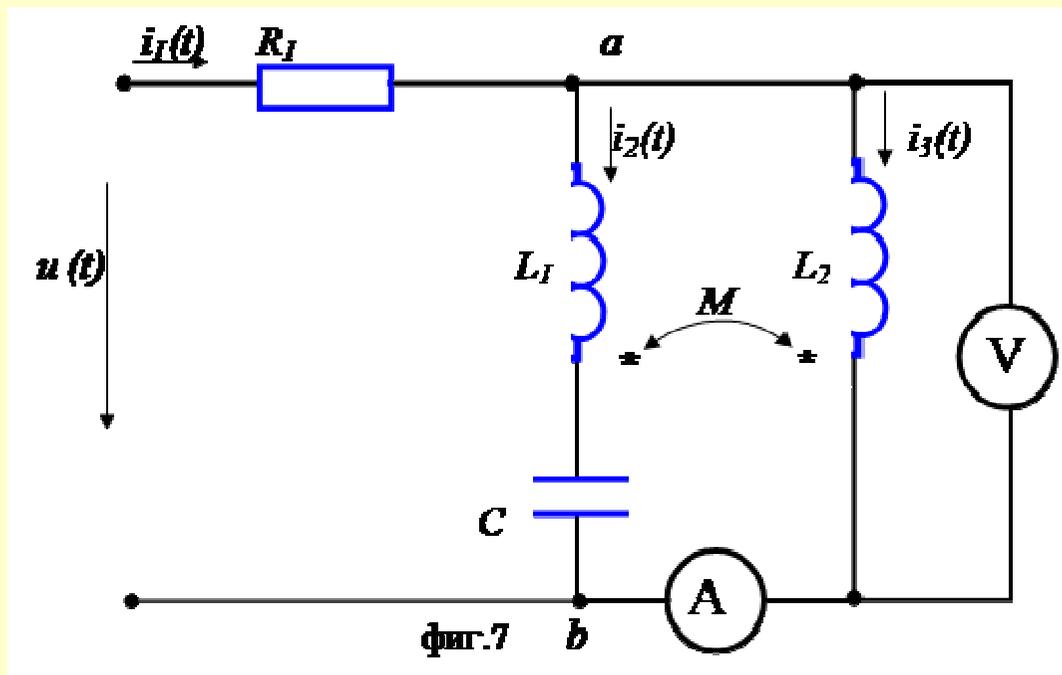
$$Z_3 = j20 \Omega$$



$$\begin{aligned}\dot{U} &= j100V \\ Z_1 &= (10 + j10) \Omega \\ Z_2 &= j20 \Omega \\ Z_3 &= j20 \Omega\end{aligned}$$

$$\dot{I}_1 = (4 + 2j)A$$

Показания на уредите:



$$\dot{I}_1 = (4 + j2) = 4,47e^{j26,56} \text{ A}$$

$$I_A = I_3 = 2,24 \text{ A}$$

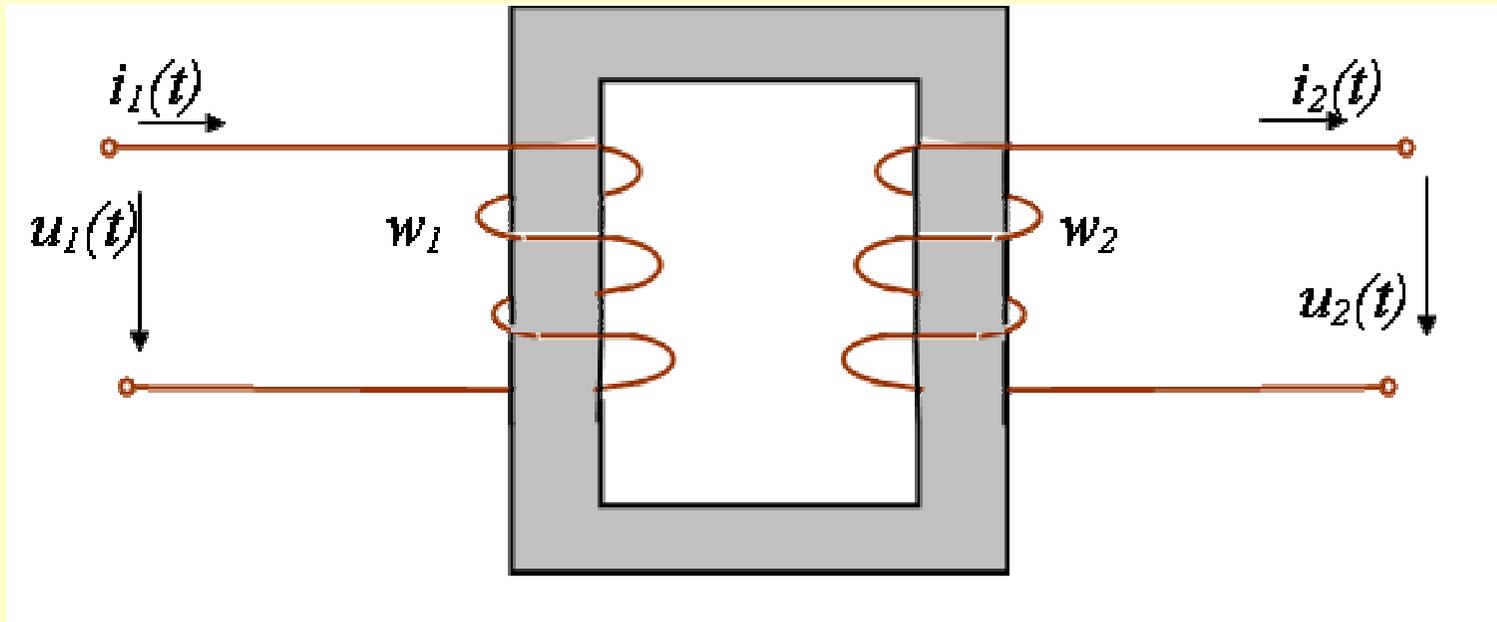
$$U_V = U_{ab}$$

$$\dot{U}_{ab} = Z_{L_2} \cdot \dot{I}_2 + Z_M \cdot \dot{I}_3 =$$

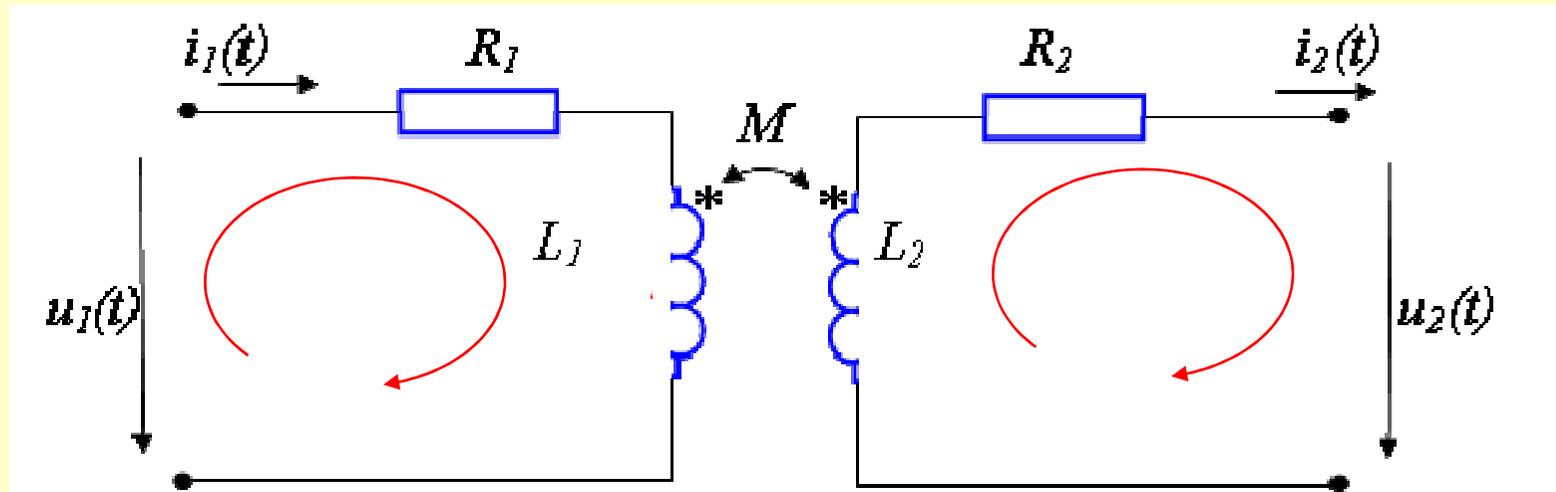
$$j\omega L_2 \cdot \dot{I}_2 + j\omega M \cdot \dot{I}_3 = (2 + j)j30 + (2 + j)j10 = (-40 + j80) \text{ V}$$

$$\Rightarrow U_V = U_{ab} = \sqrt{(-40)^2 + 80^2} = 40\sqrt{5} = 89,44 \text{ V}$$

Трансформаторно съединение



Уравнения на линейен трансформатор



$$u_1(t) = u_{R_1}(t) + u_{L_1}(t) - u_{M_1}(t)$$

$$-u_2(t) = u_{R_2}(t) + u_{L_2}(t) - u_{M_2}(t)$$

